

What is Logic-Based/Logician AI? Its History

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Intro to Logic-based AI
9/5/2024

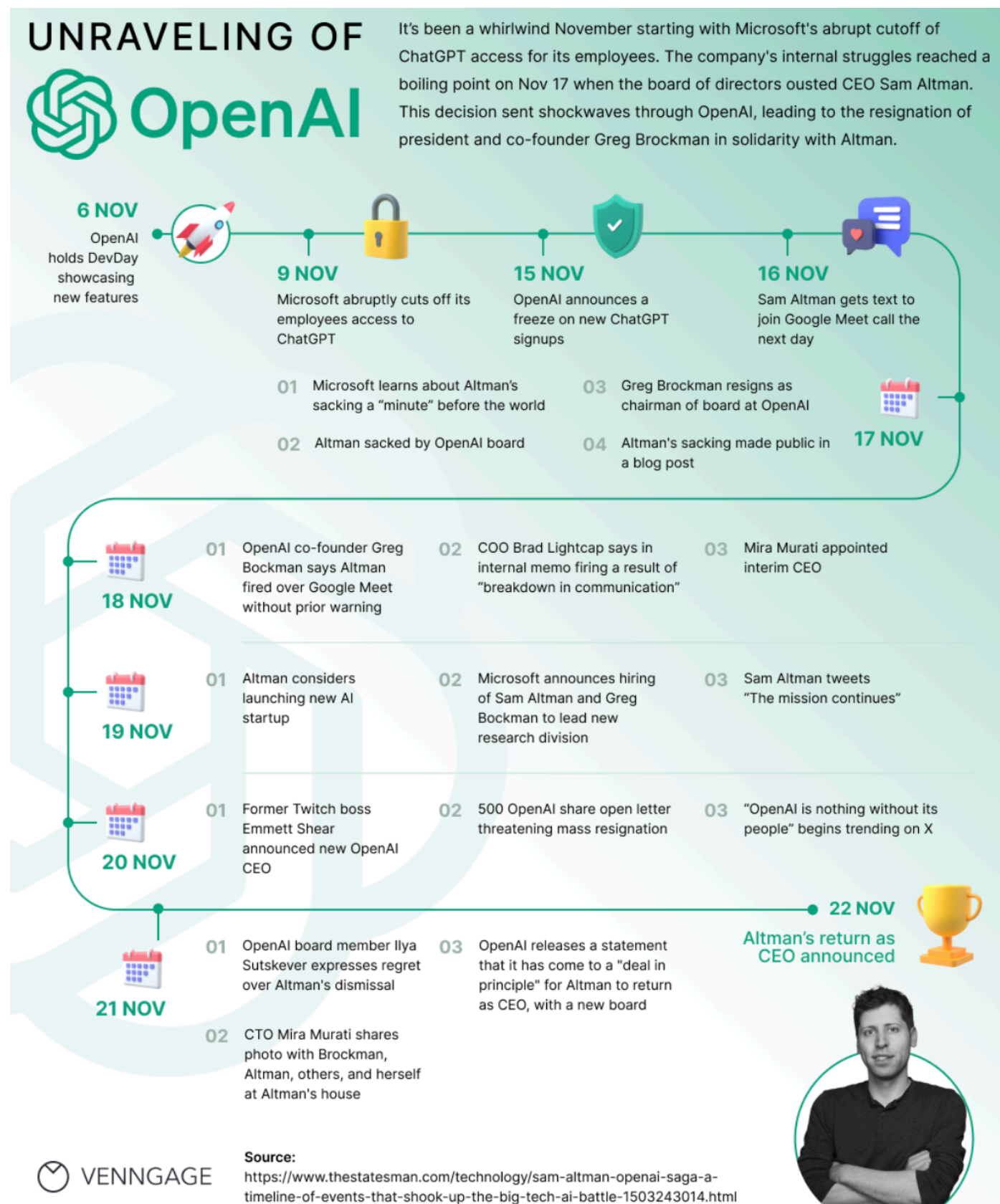


Logic-and-AI in the news

...

Bit of Background: The OpenAI Soap Opera

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OpenAI Co-Founder Ilya Sutskever's New AI Firm Raises \$1 Billion

Sutskever's AI startup, said its investors include Andreessen Horowitz, Sequoia Capital, DST Global and SV Angel



Ilya Sutskever's new AI firm has raised \$1 billion from investors.
(PHOTO: AMIR COHEN/REUTERS)

By *Kimberley Kao* [+ Follow](#)

Sep 05, 2024 12:26 a.m. ET

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OpenAI co-founder Ilya Sutskever’s new firm, aimed at building “safe” artificial intelligence models, has raised \$1 billion from investors.

Safe Superintelligence (SSI), Sutskever’s AI startup, said in a post on X, formerly Twitter, that its investors include Andreessen Horowitz, Sequoia Capital, DST Global and SV Angel.

NFDG also participated in the fundraising round. NFDG is a venture capital partnership between Nat Friedman, former chief executive of Github, and SSI’s co-founder Daniel Gross.



WHAT’S NEWS

OpenAI Rival Anthropic Sets Sights on Enterprise Market




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SSI was founded in June with a focus on building safe AI models, shortly after Sutskever left OpenAI, where he was chief scientist and led a team focused on developing safety systems to control AI and keep it in line with a set of human values.

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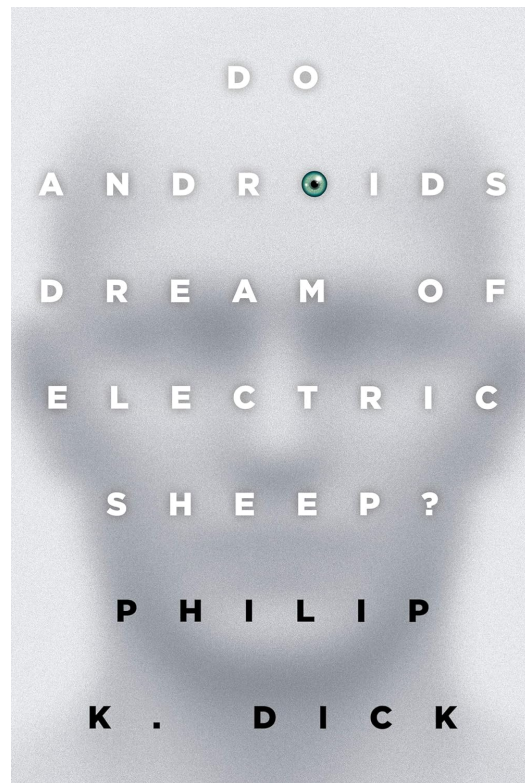
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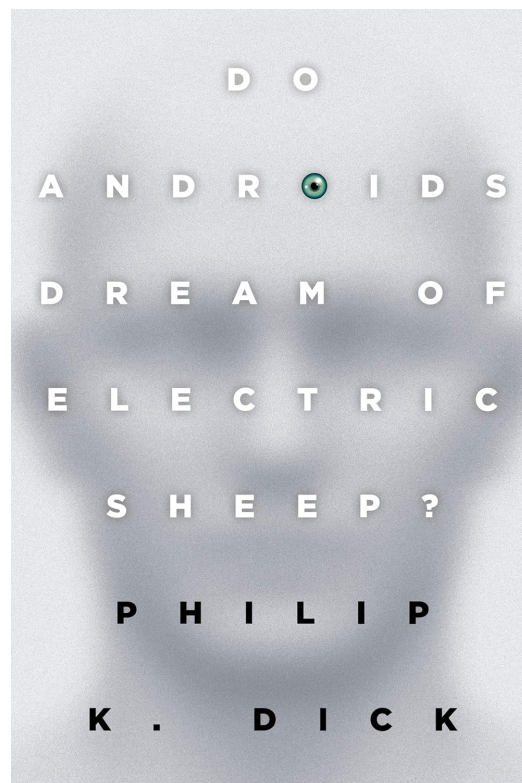
December 2 & 5!!

Re. *Blade Runner* ...

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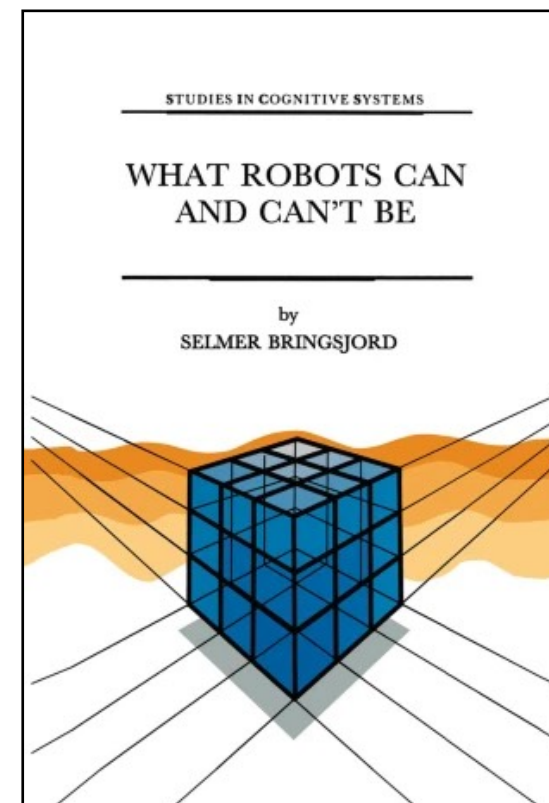
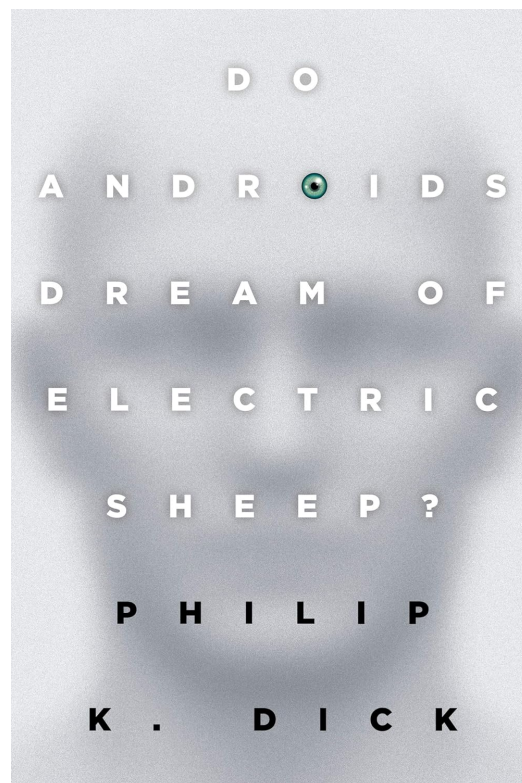


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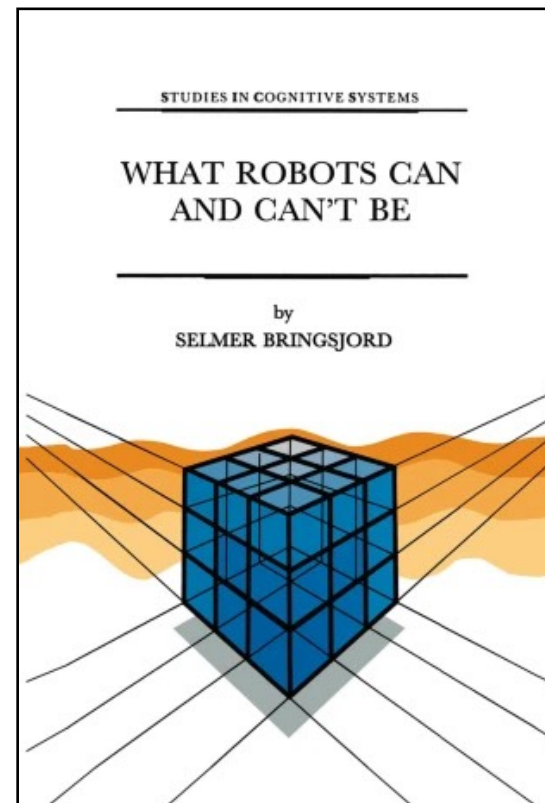
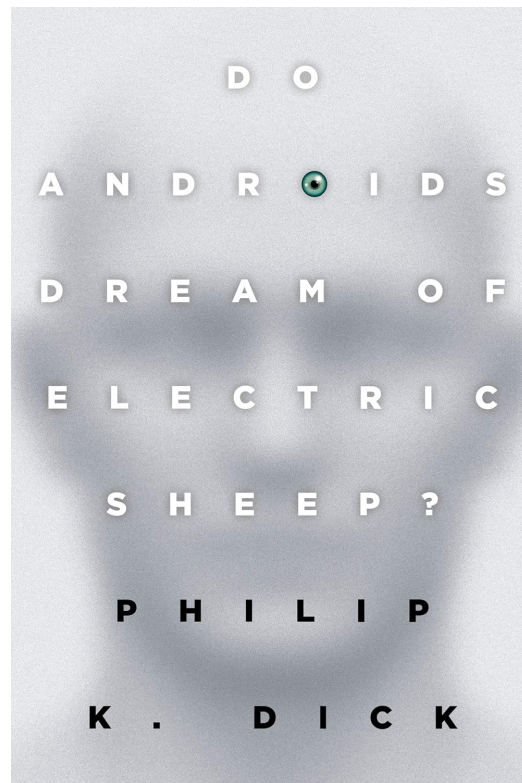
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Re. *Blade Runner* ...



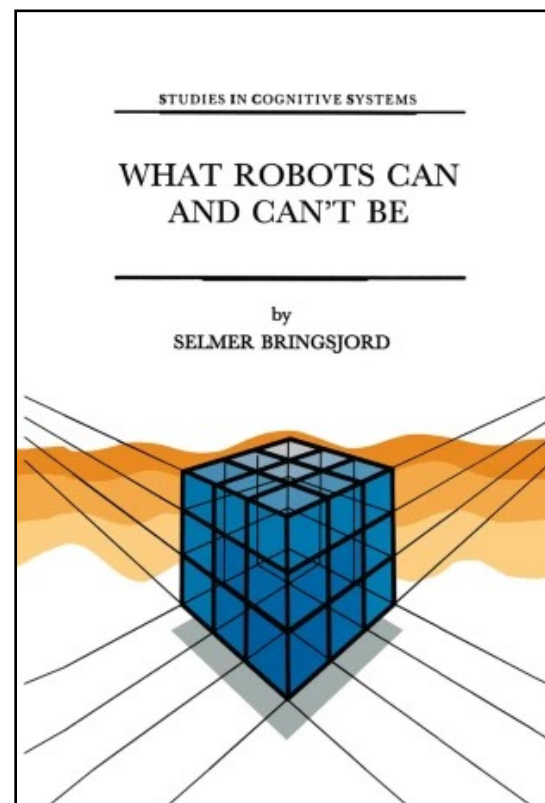
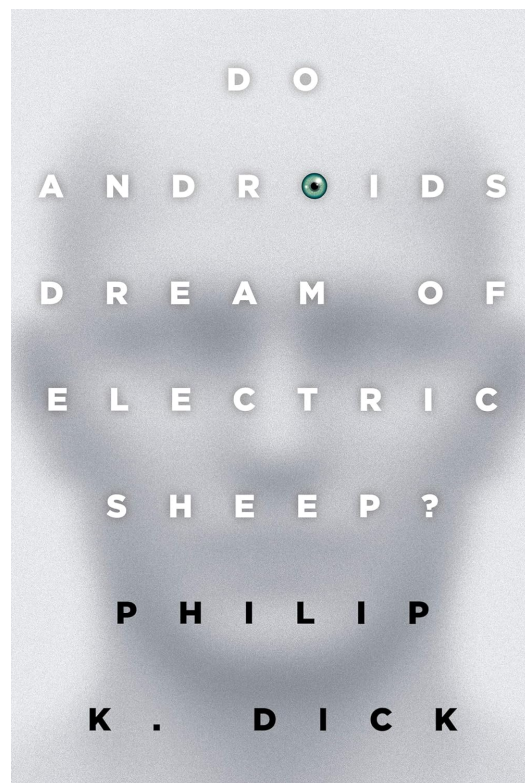
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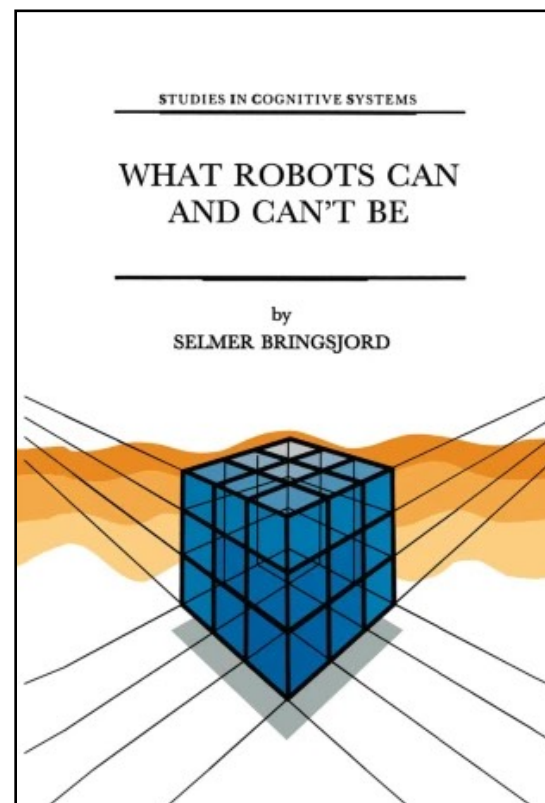
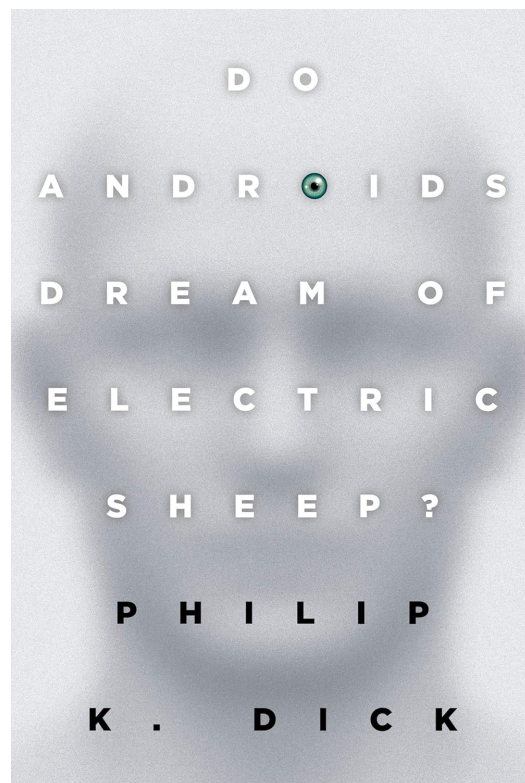
Re. *Blade Runner* ...



Fake persons
 $(t_1 - t_n)$

https://www.brmovie.com/Downloads/Docs/BR_Scripts.htm

Re. *Blade Runner* ...



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Persons

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The Future

The Future



The Future



The Future



What is logic-based (= logicist = logical) AI ...

L-BAI is the science and engineering of artificial (intelligent) agents whose computation mediating percepts and actions if reasoning in one or more logics/meta-logics.

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Section 2.1 Agents and Environments

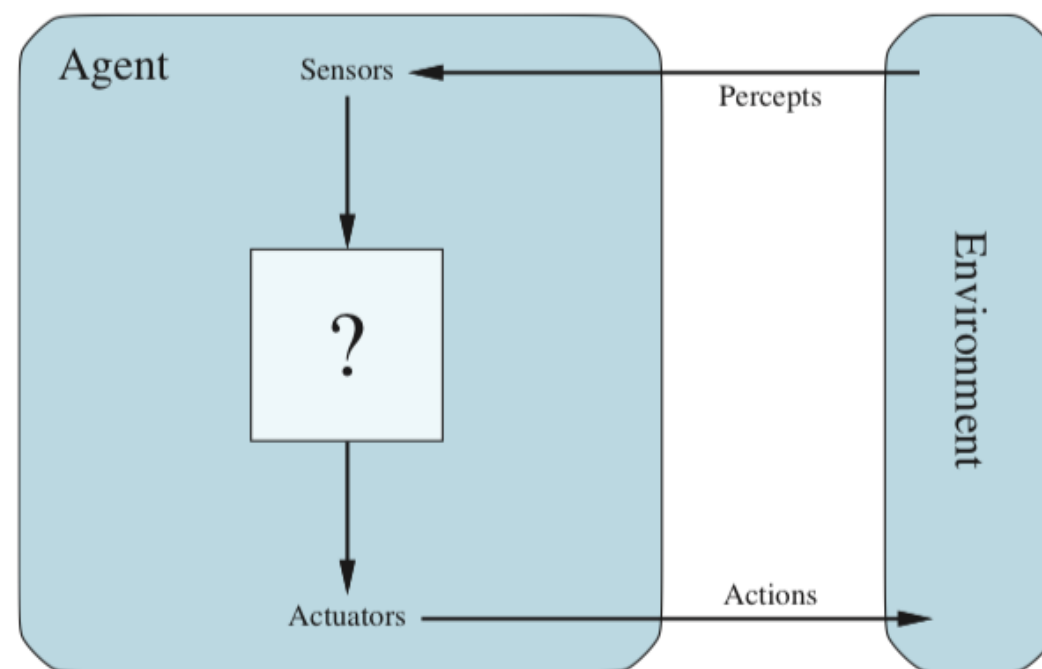


Figure 2.1 Agents interact with environments through sensors and actuators.

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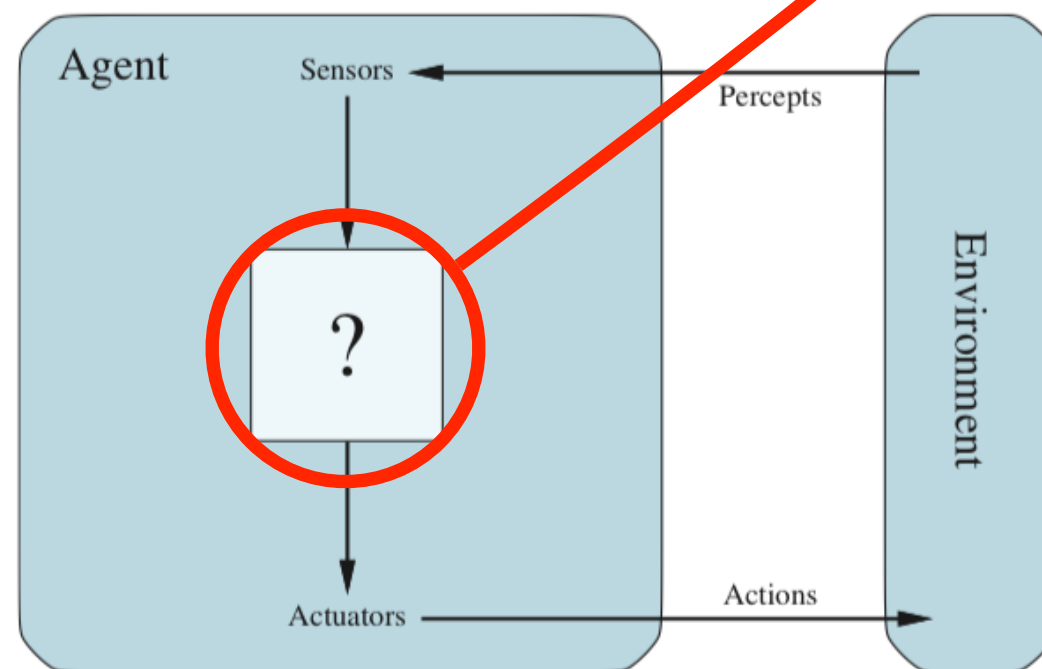


Figure 2.1 Agents interact with environments through sensors and actuators.

And now the whirlwind
history ...



Logisk

325
BC

C.
1700

1956

2024

Aristotle

“Wow Euclid, humans are really smart!”

A fragment of first-order logic = \mathcal{L}_1 introduced.

Leibniz

First-order logic = \mathcal{L}_1 discovered, and modal logic as well.

Birth of Modern AI

LogicTheorist

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Only Logic Can Save Us, i.e. only Logisk can save us.

“Danger, Will Robinson!”



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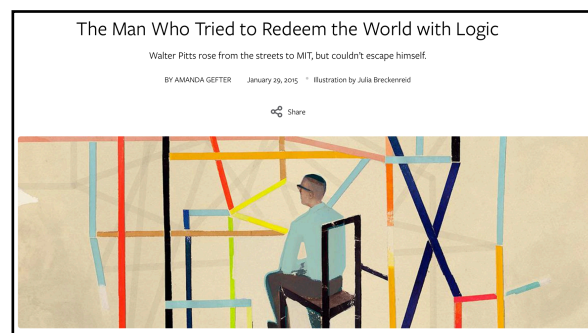
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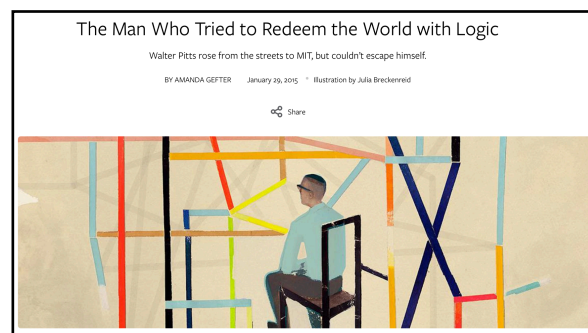
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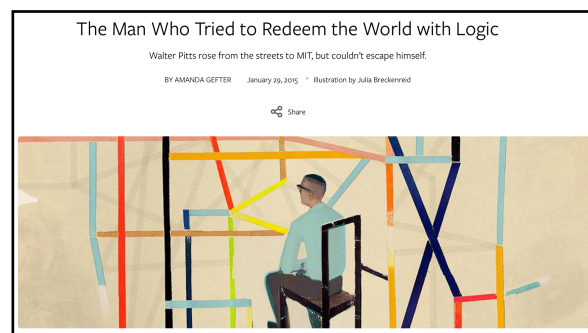
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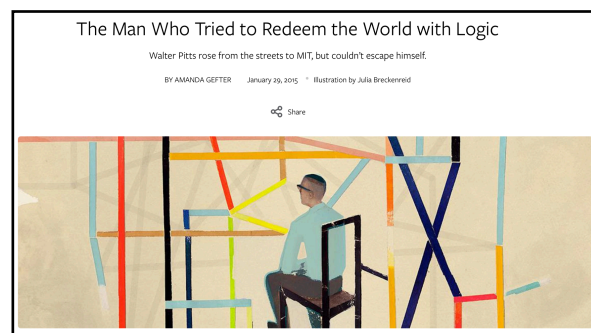
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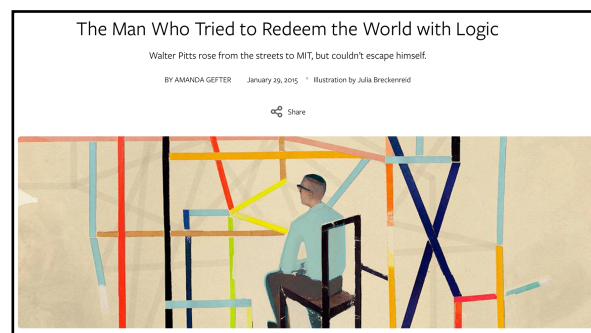
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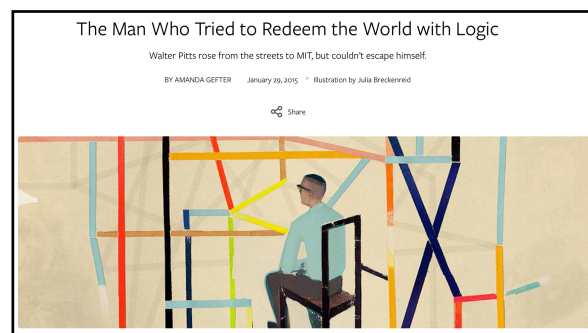
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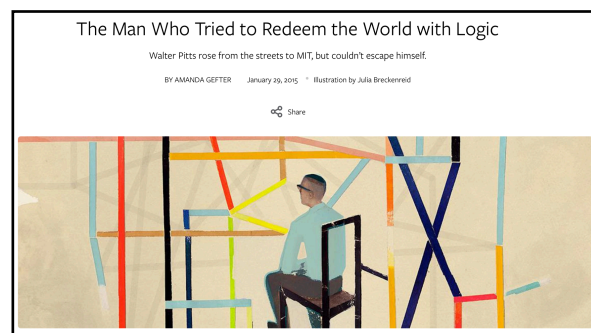
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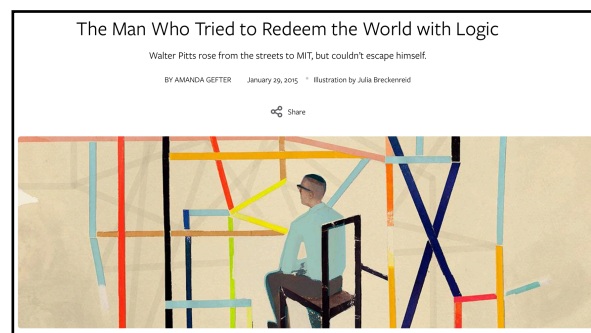
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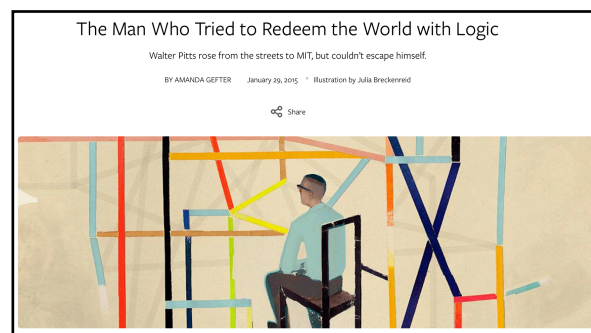
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Numerisk



Unfortunately, AI's Great Divorce ...

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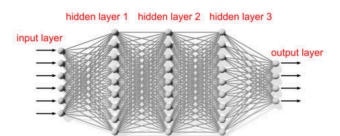
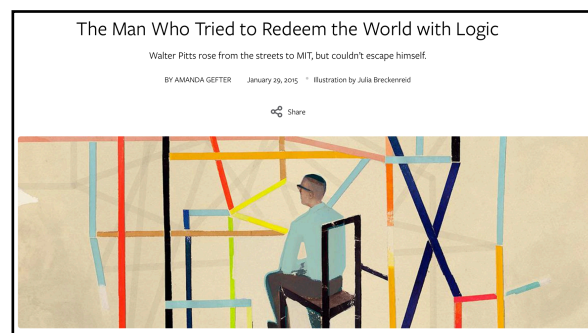
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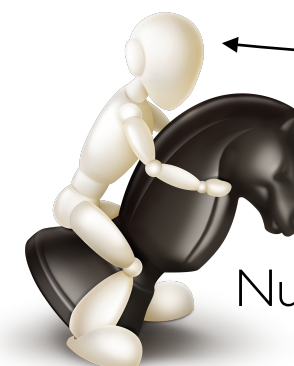
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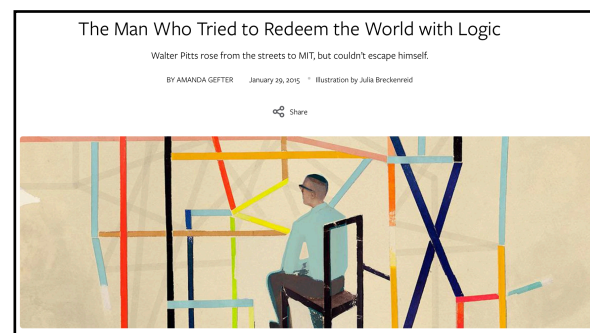
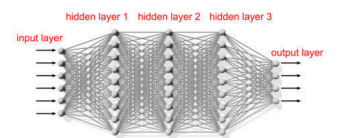
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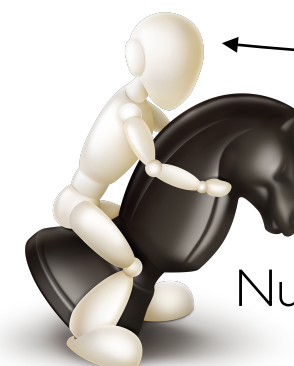
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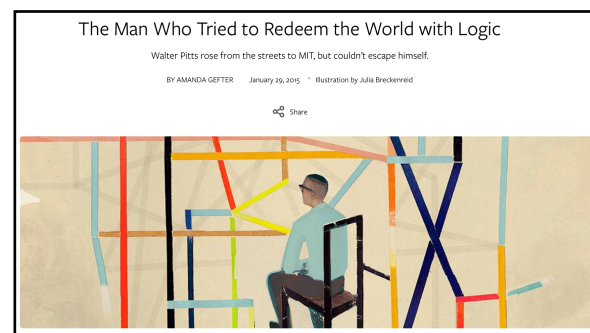
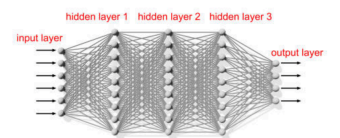
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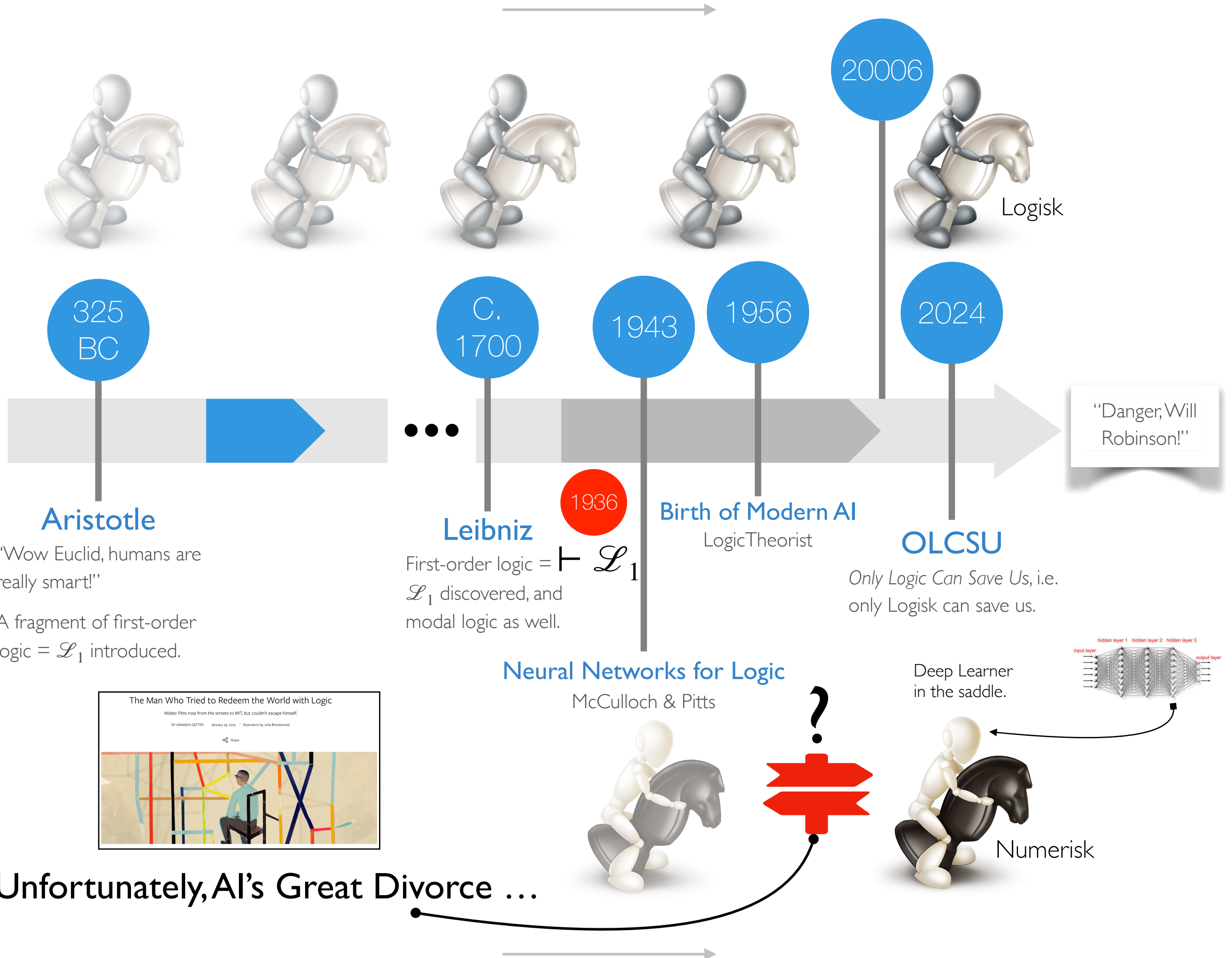


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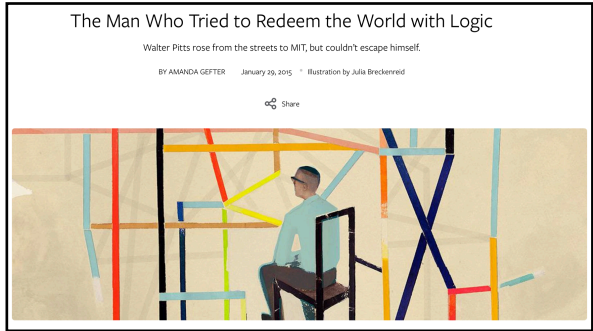


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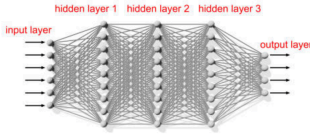


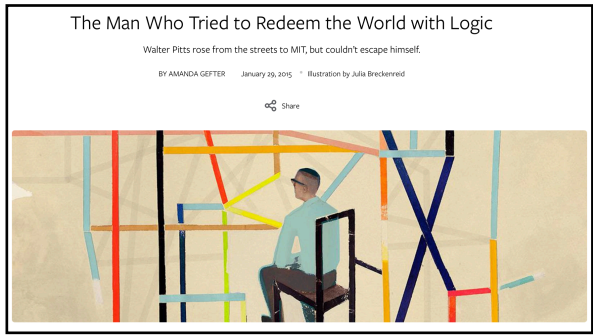
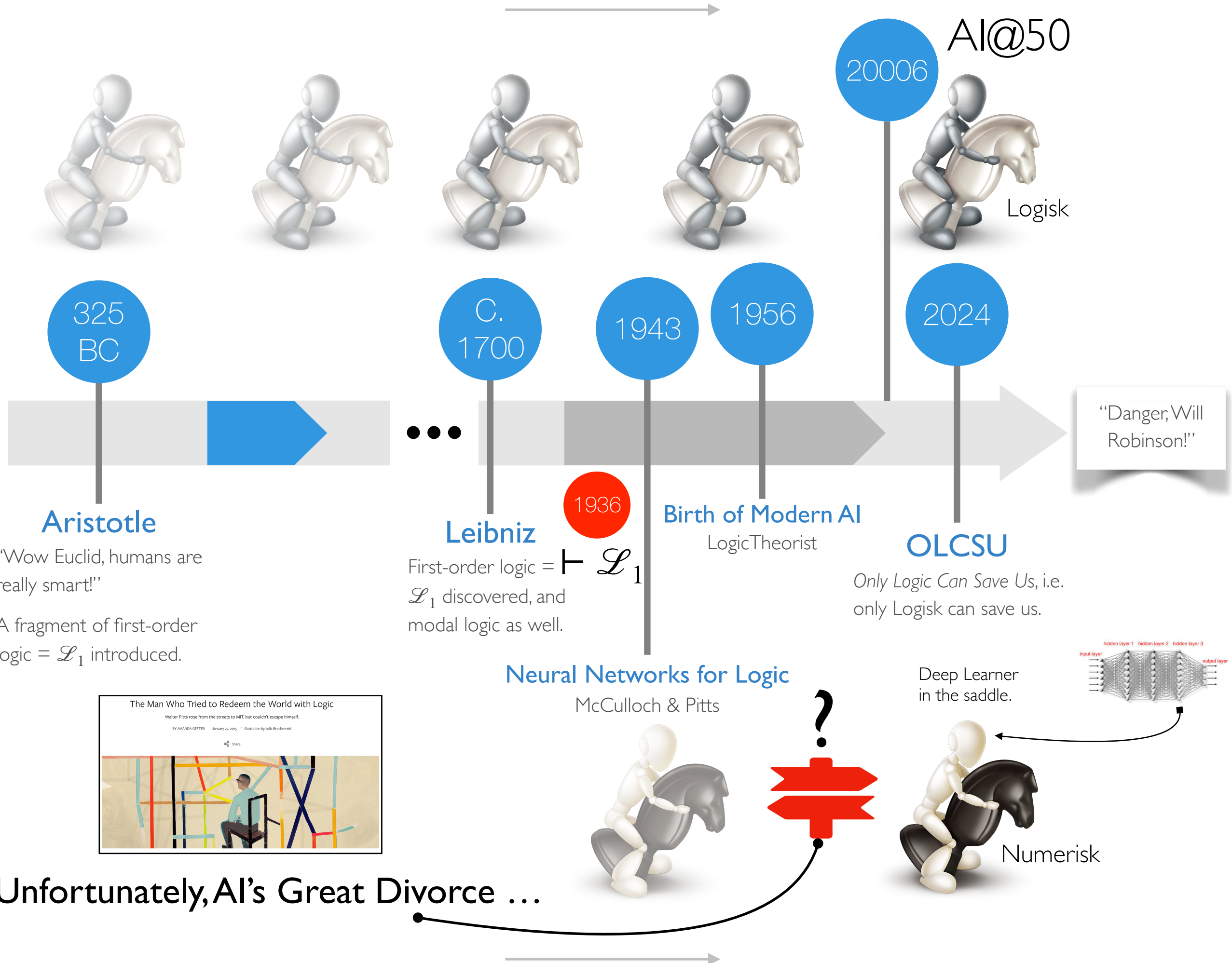
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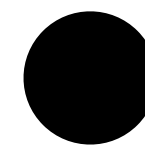
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Logisk

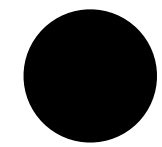
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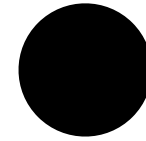


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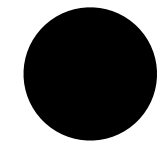
DC $\mathcal{E}\mathcal{C}^*$

Syntax	Rules of Inference
$S ::=$ Object Agent Self \sqsubseteq Agent ActionType Action \sqsubseteq Event Moment Boolean Fluent Numeric	$\frac{}{C(t, \mathbf{P}(a, t, \phi) \rightarrow \mathbf{K}(a, t, \phi))} [R_1] \quad \frac{}{C(t, \mathbf{K}(a, t, \phi) \rightarrow \mathbf{B}(a, t, \phi))} [R_2]$
	$\frac{C(t, \phi) \ t \leq t_1 \dots t \leq t_n}{\mathbf{K}(a_1, t_1, \dots \mathbf{K}(a_n, t_n, \phi) \dots)} [R_3] \quad \frac{\mathbf{K}(a, t, \phi)}{\phi} [R_4]$
$action : \text{Agent} \times \text{ActionType} \rightarrow \text{Action}$ $initially : \text{Fluent} \rightarrow \text{Boolean}$ $holds : \text{Fluent} \times \text{Moment} \rightarrow \text{Boolean}$ $happens : \text{Event} \times \text{Moment} \rightarrow \text{Boolean}$ $clipped : \text{Moment} \times \text{Fluent} \times \text{Moment} \rightarrow \text{Boolean}$	$\frac{}{C(t, \mathbf{K}(a, t_1, \phi_1 \rightarrow \phi_2)) \rightarrow \mathbf{K}(a, t_2, \phi_1) \rightarrow \mathbf{K}(a, t_3, \phi_2)} [R_5]$
$f ::=$ $initiates : \text{Event} \times \text{Fluent} \times \text{Moment} \rightarrow \text{Boolean}$ $terminates : \text{Event} \times \text{Fluent} \times \text{Moment} \rightarrow \text{Boolean}$ $prior : \text{Moment} \times \text{Moment} \rightarrow \text{Boolean}$ $interval : \text{Moment} \times \text{Boolean}$ $* : \text{Agent} \rightarrow \text{Self}$ $payoff : \text{Agent} \times \text{ActionType} \times \text{Moment} \rightarrow \text{Numeric}$	$\frac{}{C(t, \mathbf{B}(a, t_1, \phi_1 \rightarrow \phi_2)) \rightarrow \mathbf{B}(a, t_2, \phi_1) \rightarrow \mathbf{B}(a, t_3, \phi_2)} [R_6]$
	$\frac{}{C(t, C(t_1, \phi_1 \rightarrow \phi_2)) \rightarrow C(t_2, \phi_1) \rightarrow C(t_3, \phi_2)} [R_7]$
	$\frac{}{C(t, \forall x. \phi \rightarrow \phi[x \mapsto t])} [R_8] \quad \frac{}{C(t, \phi_1 \leftrightarrow \phi_2 \rightarrow \neg \phi_2 \rightarrow \neg \phi_1)} [R_9]$
	$\frac{}{C(t, [\phi_1 \wedge \dots \wedge \phi_n \rightarrow \phi] \rightarrow [\phi_1 \rightarrow \dots \rightarrow \phi_n \rightarrow \psi])} [R_{10}]$
	$\frac{\mathbf{B}(a, t, \phi) \ \phi \rightarrow \psi}{\mathbf{B}(a, t, \psi)} [R_{11a}] \quad \frac{\mathbf{B}(a, t, \phi) \ \mathbf{B}(a, t, \psi)}{\mathbf{B}(a, t, \psi \wedge \phi)} [R_{11b}]$
	$\frac{\mathbf{S}(s, h, t, \phi)}{\mathbf{B}(h, t, \mathbf{B}(s, t, \phi))} [R_{12}]$
$t ::= x : S \mid c : S \mid f(t_1, \dots, t_n)$	$\frac{\mathbf{I}(a, t, happens(action(a^*, \alpha), t'))}{\mathbf{P}(a, t, happens(action(a^*, \alpha), t))} [R_{13}]$
$t : \text{Boolean} \mid \neg \phi \mid \phi \wedge \psi \mid \phi \vee \psi \mid$ $\mathbf{P}(a, t, \phi) \mid \mathbf{K}(a, t, \phi) \mid \mathbf{C}(t, \phi) \mid \mathbf{S}(a, b, t, \phi) \mid \mathbf{S}(a, t, \phi)$	$\frac{\mathbf{B}(a, t, \phi) \ \mathbf{B}(a, t, \mathbf{O}(a^*, t, \phi, happens(action(a^*, \alpha), t')))}{\mathbf{O}(a, t, \phi, happens(action(a^*, \alpha), t'))} [R_{14}]$
$\phi ::=$ $\mathbf{B}(a, t, \phi) \mid \mathbf{D}(a, t, holds(f, t')) \mid \mathbf{I}(a, t, happens(action(a^*, \alpha), t'))$ $\mathbf{O}(a, t, \phi, happens(action(a^*, \alpha), t'))$	$\frac{\phi \leftrightarrow \psi}{\mathbf{O}(a, t, \phi, \gamma) \leftrightarrow \mathbf{O}(a, t, \psi, \gamma)} [R_{15}]$



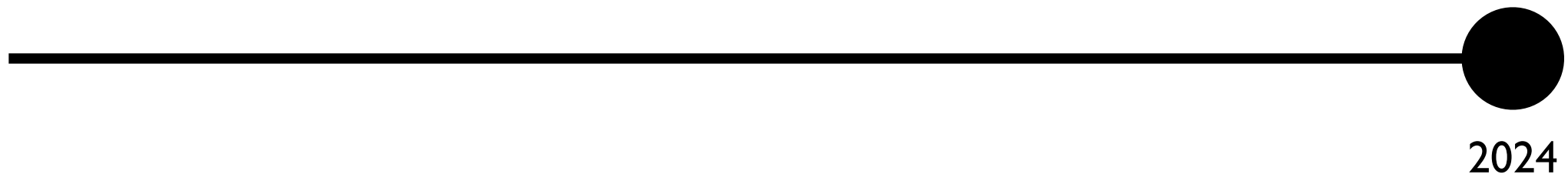
2024

Intro to Logic-Based AI @ RPI



2024

Intro to Logic-Based AI @ RPI



Intro to Logic-Based AI @ RPI

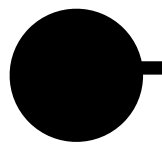


2024

Intro to Logic-Based AI @ RPI



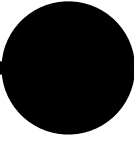
Intro to Logic-Based AI @ RPI



350 BC

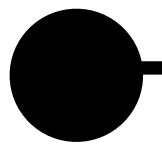


Euclid



2024

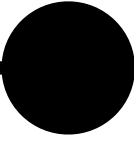
Intro to Logic-Based AI @ RPI



350 BC

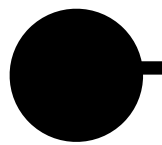


Euclid



2024

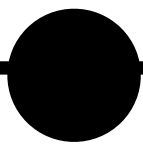
Intro to Logic-Based AI @ RPI



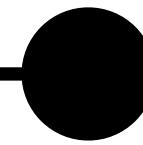
350 BC



Euclid

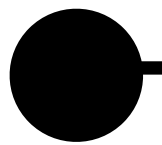


300 BC



2024

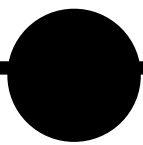
Intro to Logic-Based AI @ RPI



350 BC



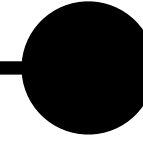
Euclid



300 BC

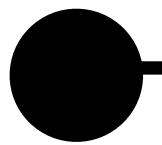


I don't believe in magic! Why exactly is that so convincing? What exactly is he doing?!?



2024

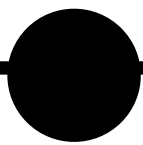
Intro to Logic-Based AI @ RPI



350 BC



Euclid

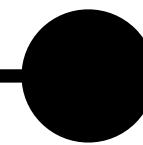


300 BC



Organon

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2024

Intro to Logic-Based AI @ RPI

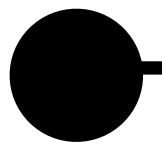
He's using syllogisms!

E.g.,

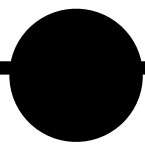
All As are Bs.

All Bs are Cs.

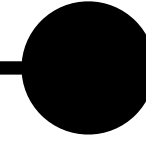
All As are Cs.



350 BC



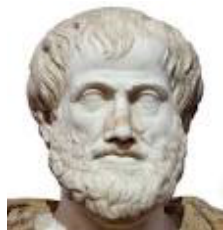
300 BC



2024



Euclid



Organon

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Intro to Logic-Based AI @ RPI

He's using syllogisms!

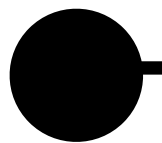


E.g.,

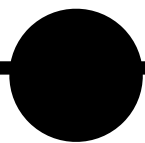
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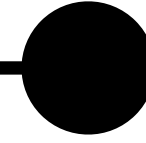
All As are Cs.



350 BC



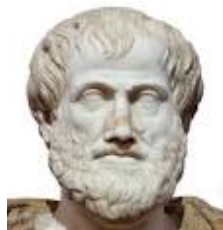
300 BC



2024



Euclid



Organon

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Intro to Logic-Based AI @ RPI

Balderdash!

He's using syllogisms!

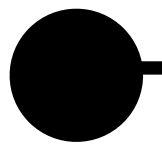


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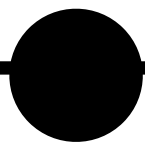
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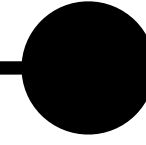
All As are Cs.



350 BC



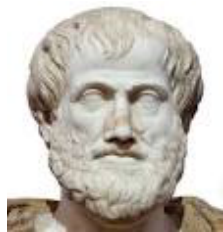
300 BC



2024



Euclid

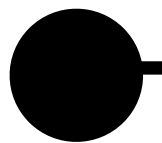


Organon

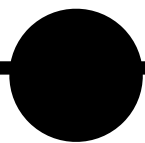
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Intro to Logic-Based AI @ RPI

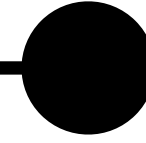
Balderdash!



350 BC



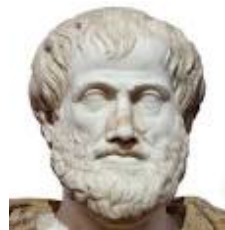
300 BC



2024



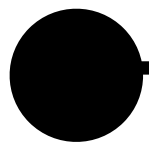
Euclid



Organon

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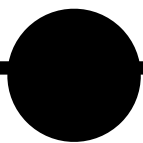
Intro to Logic-Based AI @ RPI



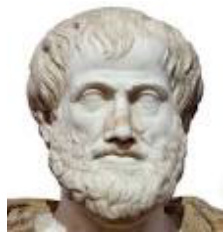
350 BC



Euclid

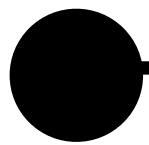


300 BC



Organon

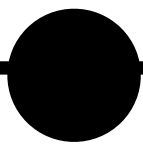
Intro to Logic-Based AI @ RPI



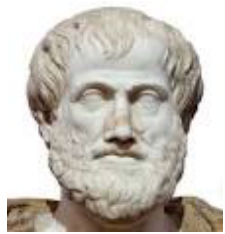
350 BC



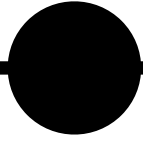
Euclid



300 BC

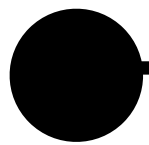


Organon



1666

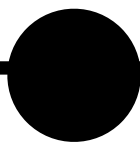
Intro to Logic-Based AI @ RPI



350 BC



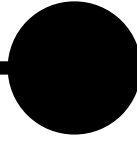
Euclid



300 BC



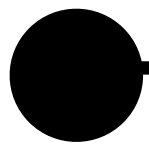
Organon



1666



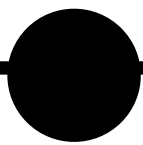
Leibniz



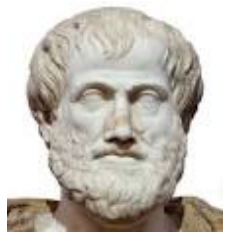
350 BC



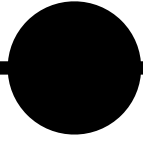
Euclid



300 BC



Organon



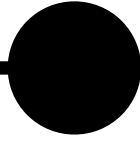

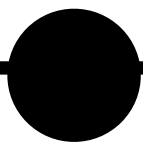
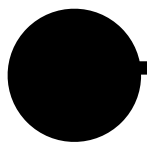
1666



Leibniz

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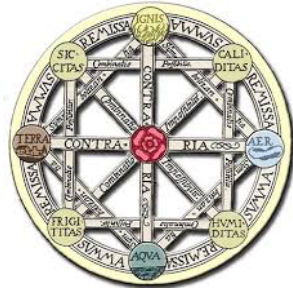
Intro to Logic-Based AI @ RPI

A black and white portrait of Isaac Newton, showing him from the chest up. He has long, dark, curly hair and is wearing a dark coat over a white shirt with a high collar. He is looking slightly to the right of the viewer.

Organon

$$\int$$

Intro to Logic-Based AI @ RPI



1854

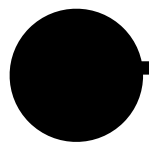
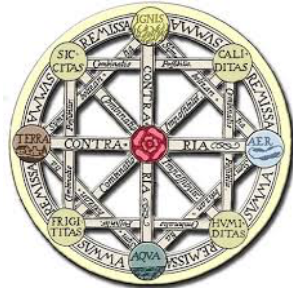


Leibniz



Intro to Logic-Based AI @ RPI

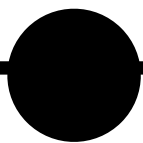
“Universal Computational Logic”



350 BC



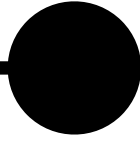
Euclid



300 BC



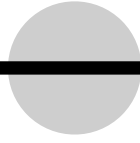
Organon



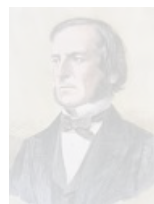
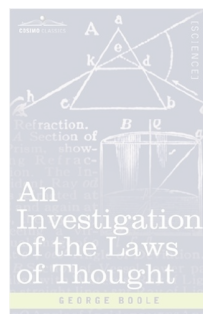
1666



Leibniz

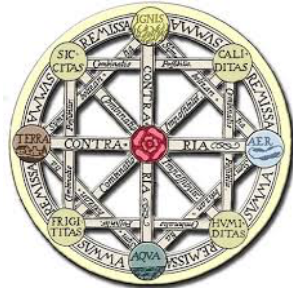


1854

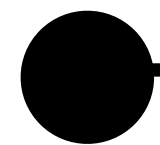


Intro to Logic-Based AI @ RPI

“Universal Computational Logic”



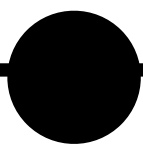
Logic Theorist (birth of modern logicist AI)



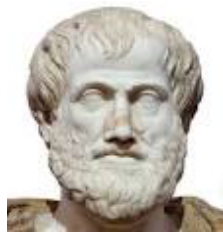
350 BC



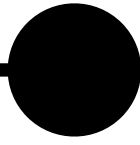
Euclid



300 BC



Organon

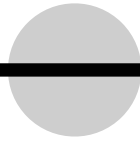


1666

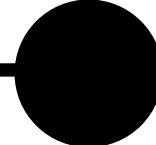
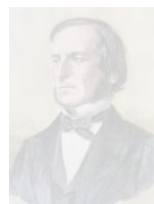
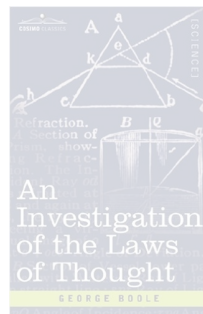


Leibniz

∫



1854



1956



Simon

Intro to Logic-Based AI @ RPI

“Astonishing” Logic Theorist Proof @ Dawn of AI

“Astonishing” Logic Theorist Proof @ Dawn of AI

1	$(\phi \vee \phi) \rightarrow \phi$	axiom
2	$(\neg\phi \vee \neg\phi) \rightarrow \neg\phi$	substitution
3	$(\phi \rightarrow \neg\phi) \rightarrow \neg\phi$	a “replacement rule”
4	$(A \rightarrow \neg A) \rightarrow \neg A$	substitution

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At dawn of AI: 10 seconds.

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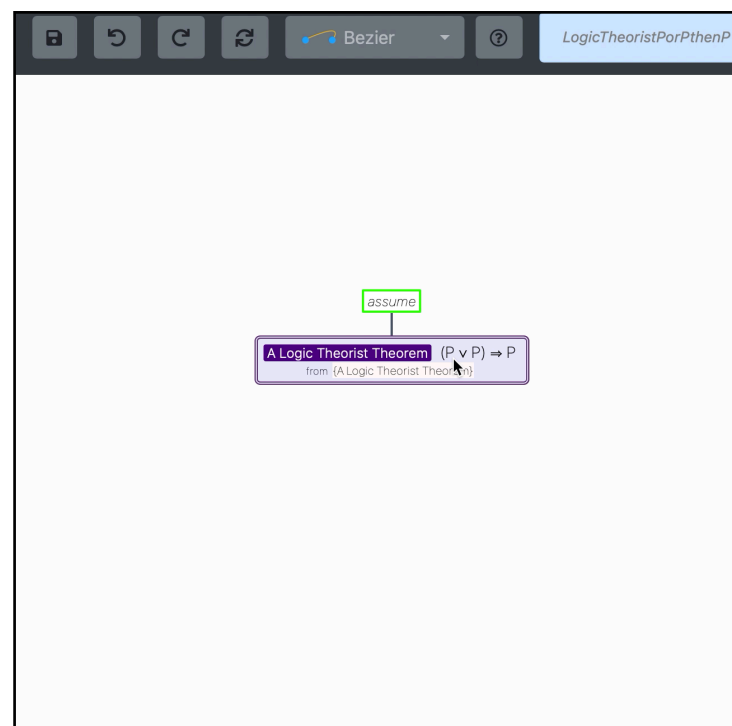
AI of today: vanishingly small amount of time (in eg HS[®]).

“Astonishing” Logic Theorist Proof @ Dawn of AI

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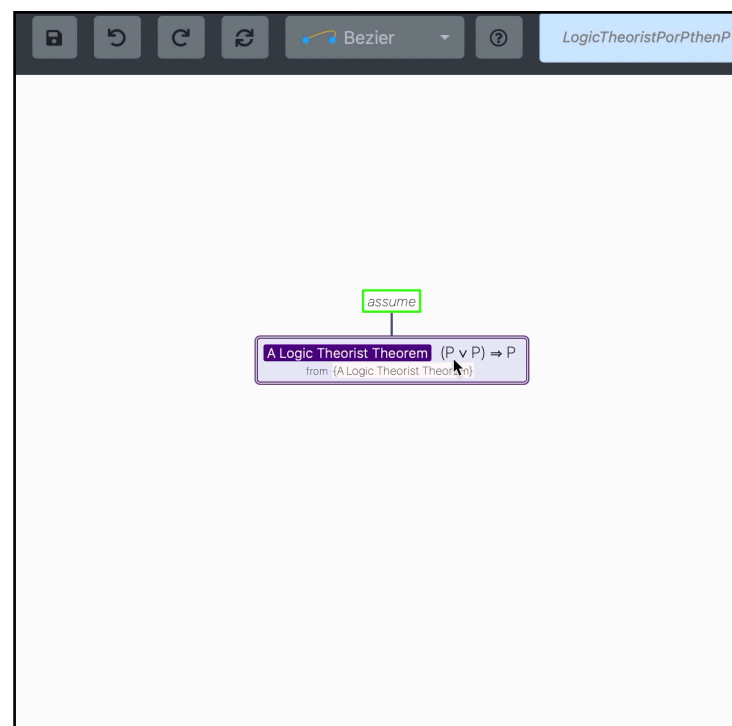


“Astonishing” Logic Theorist Proof @ Dawn of AI

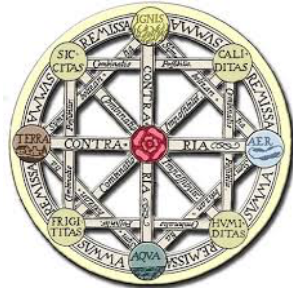
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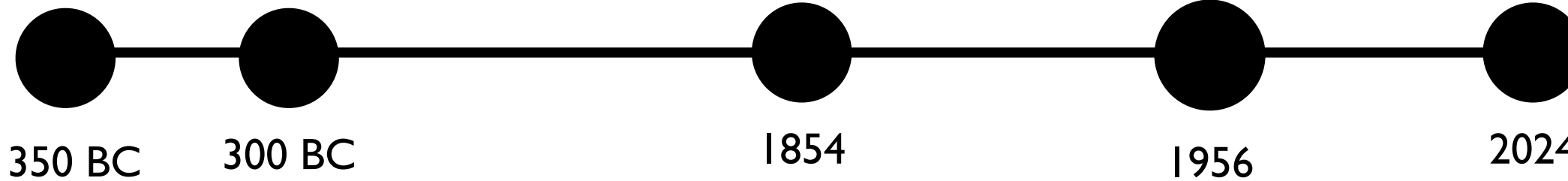
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“Universal Computational Logic”



Logic Theorist (birth of modern logicist AI)



350 BC

300 BC

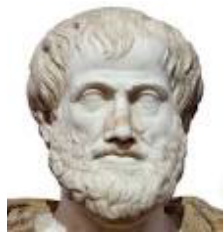
1854

1956

2024



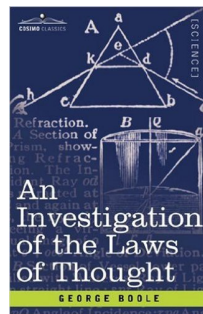
Euclid



Organon



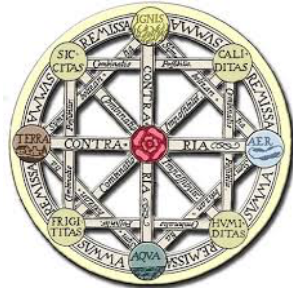
Leibniz



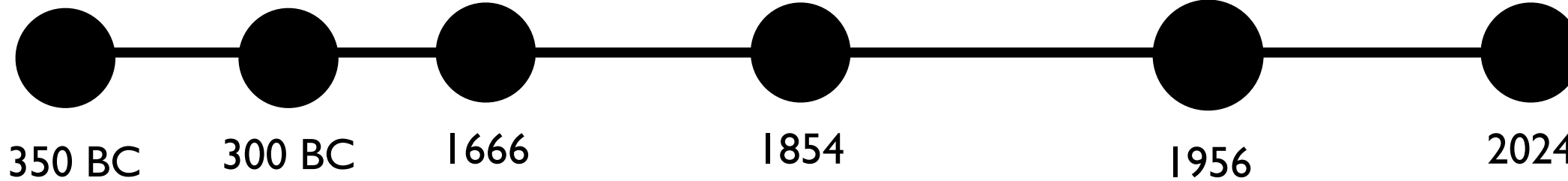
Simon

Intro to Logic-Based AI @ RPI

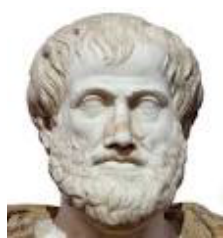
“Universal Computational Logic”



Logic Theorist (birth of modern logicist AI)



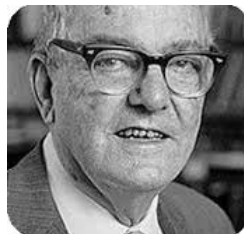
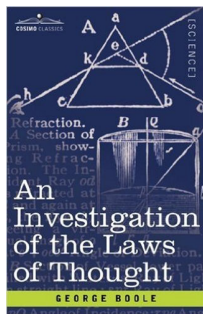
Euclid



Organon



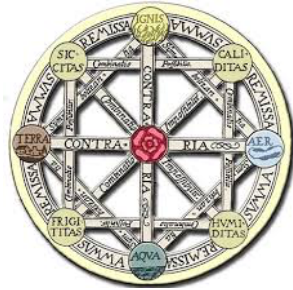
Leibniz



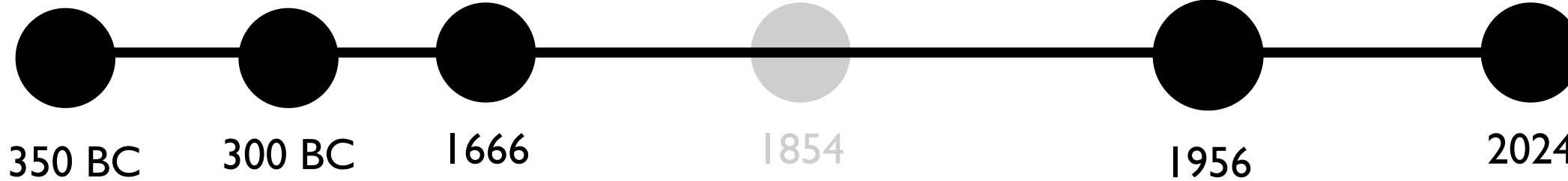
Simon

Intro to Logic-Based AI @ RPI

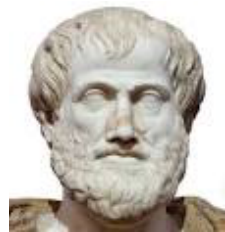
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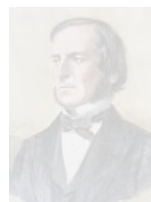
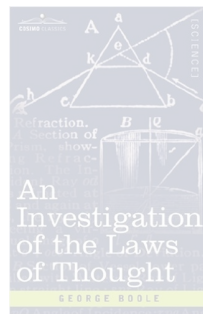
Euclid



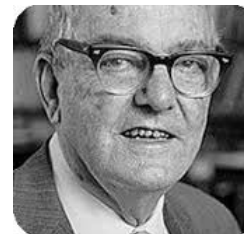
Organon



Leibniz



1854



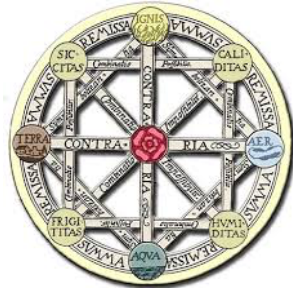
Simon

1956

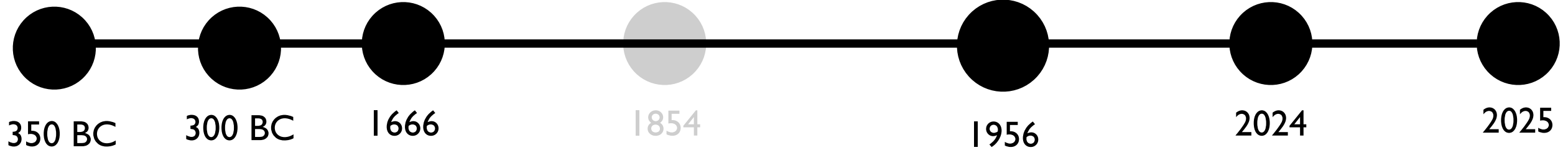
2024

Intro to Logic-Based AI @ RPI

“Universal
Computational
Logic”



Logic Theorist
(birth of modern logicist AI)



350 BC

300 BC

1666

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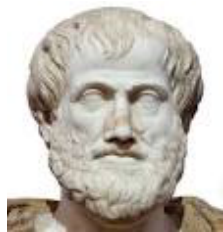
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Euclid

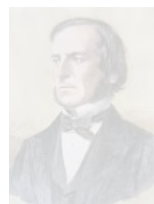
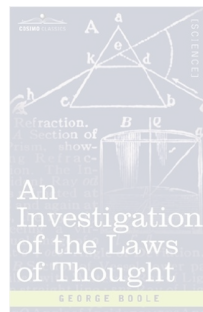


Organon



Leibniz

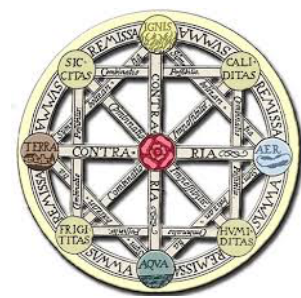
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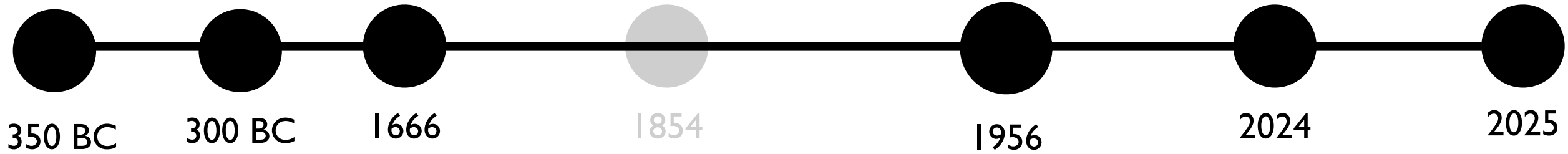
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Intro to Logic-Based AI @ RPI

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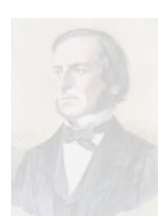
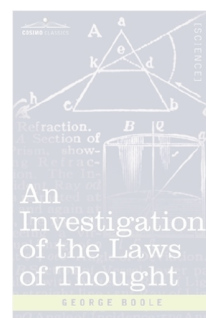
Euclid



Organon



Leibniz



1854



Simon



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Intro to Logic-Based AI @ RPI

The Singularity?



A black and white portrait of John Wallis, an English natural philosopher, mathematician, and theologian. He is shown from the chest up, wearing a dark, curly wig and a dark coat over a white shirt with a cravat. He has a serious expression and is looking slightly to the right.

Simon

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Intro to Logic-Based AI @ RPI

Organon

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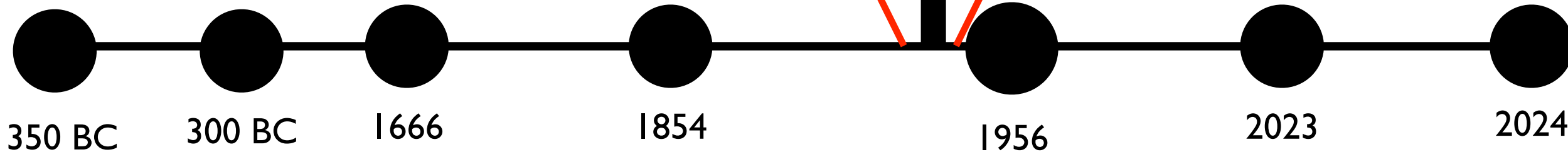
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Entscheidungsproblem

“Universal Computational Logic”



Logic Theorist
(birth of modern logicist AI)



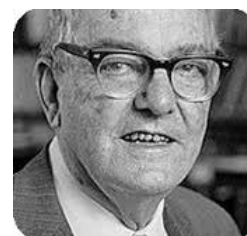
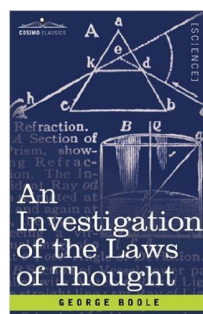
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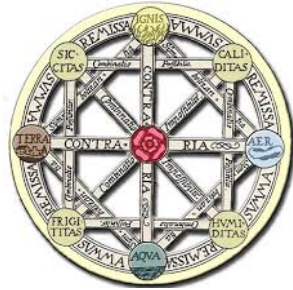


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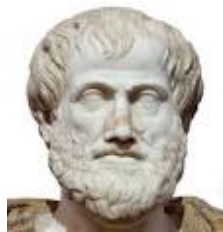
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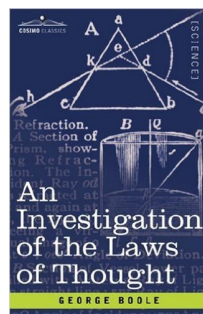


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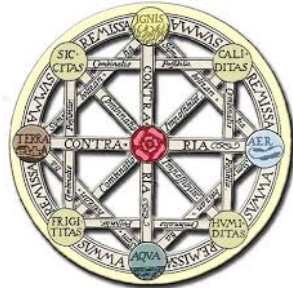
Simon

Intro to (Formal) Logic (& AI) @ RPI

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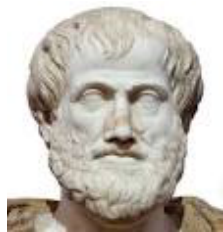
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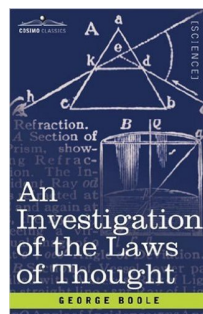


Organon



Leibniz

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Simon



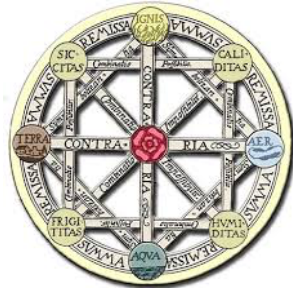
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Intro to (Formal) Logic (& AI) @ RPI

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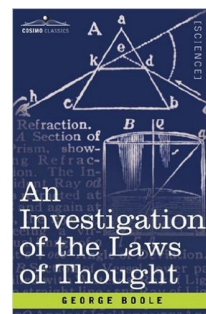


Organon



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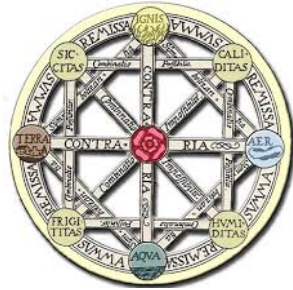
Exceeds Leibniz & de-mystifies
Euclid: the “compellingness” of
these proofs consists in their
being, at bottom, formal proofs
in first-order logic (FOL).

Intro to (Formal) Logic (& AI) @ RPI

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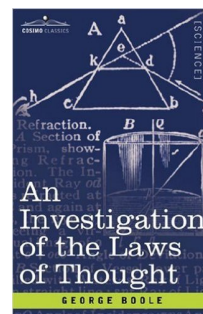


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Church



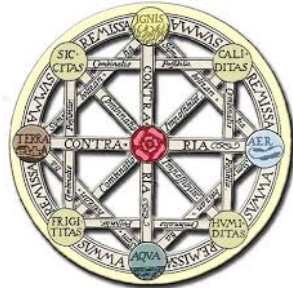
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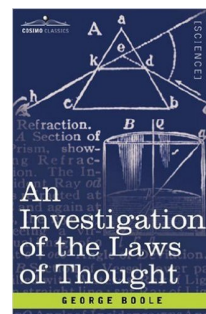


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Church



Turing



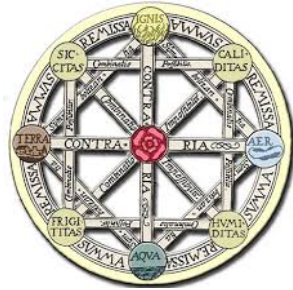
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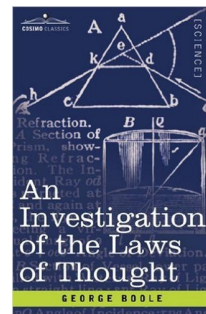


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Church



Turing



Post



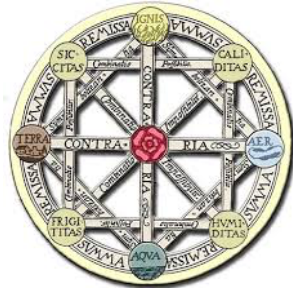
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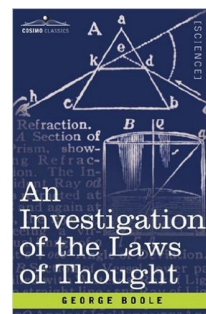


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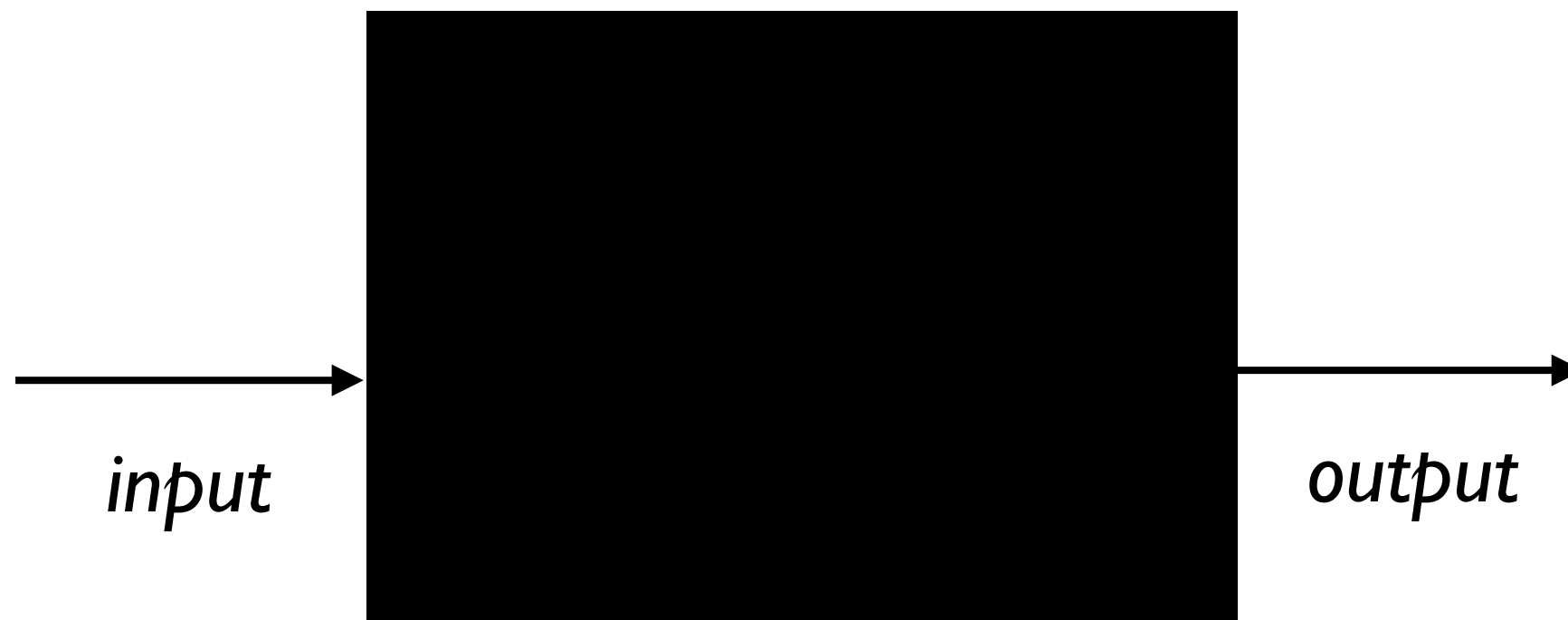
Post

Intro to (Formal) Logic (& AI) @ RPI

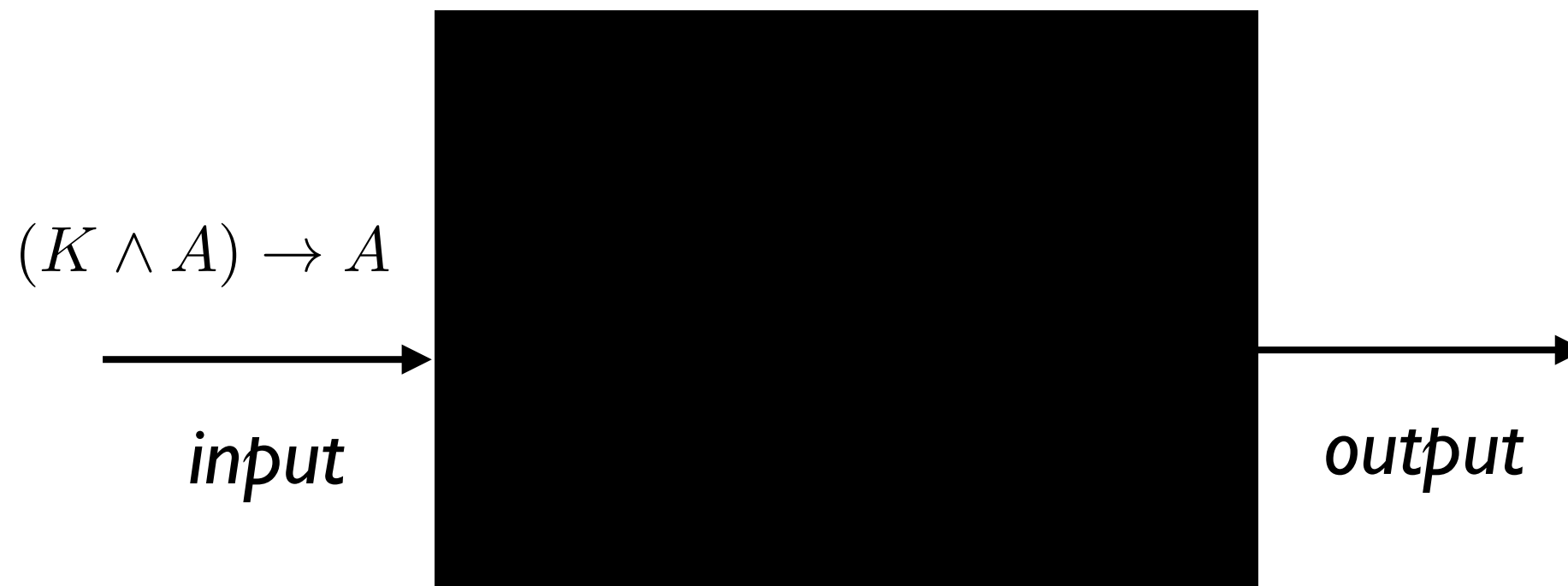
Here’s what a computer is, and given that, sorry, the *Entscheidungsproblem* can’t be solved by such a machine!

The Singularity?

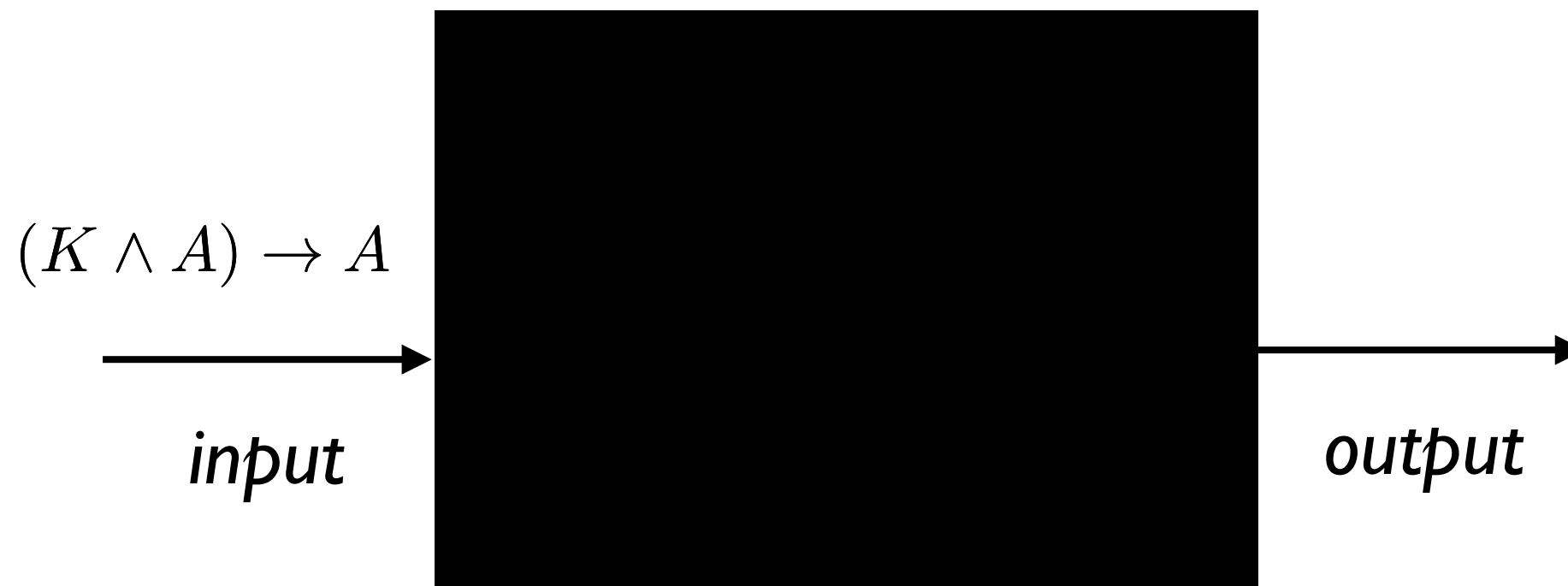
First, the Theoremhood Decision Problem
($\text{THEOREM}_{\text{PC}}$)
for the Propositional Calculus



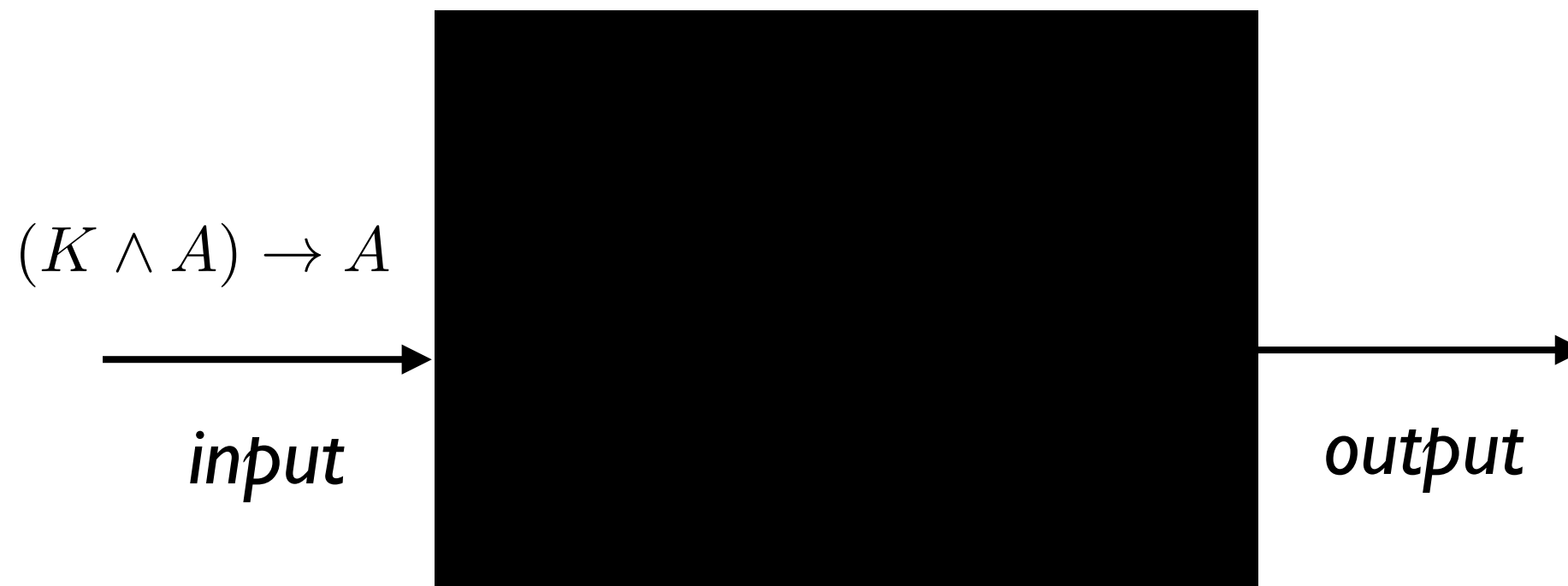
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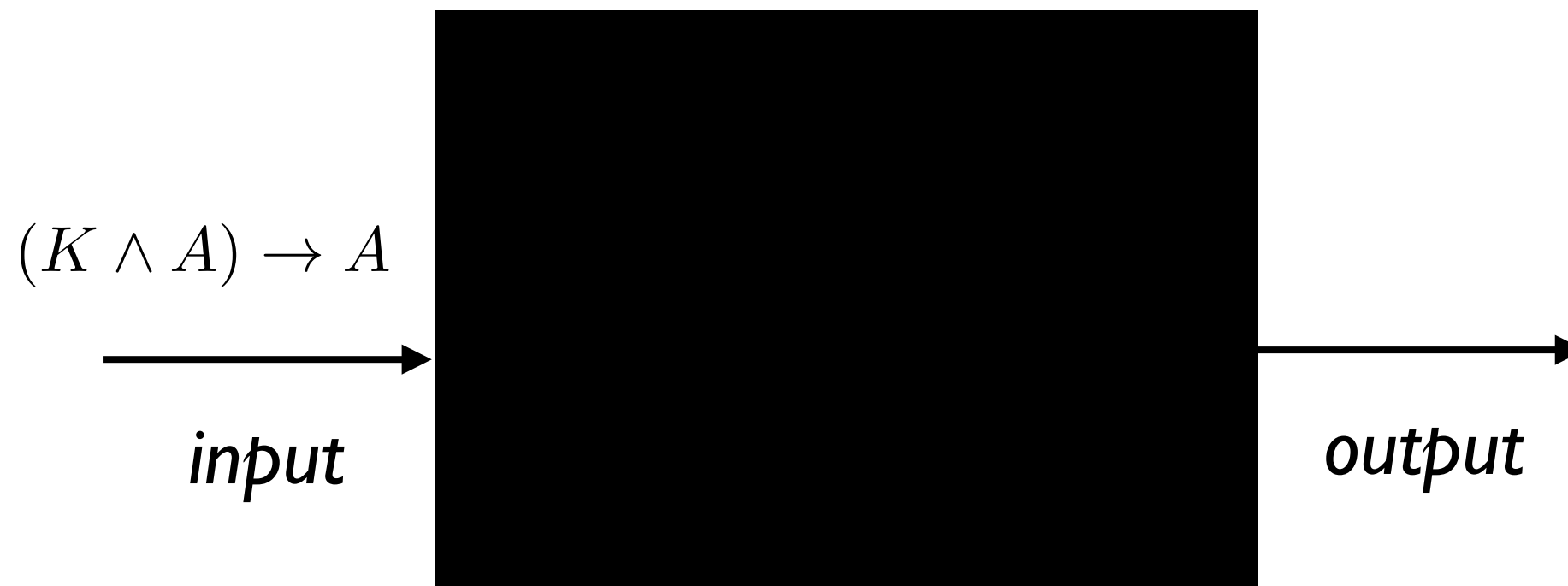
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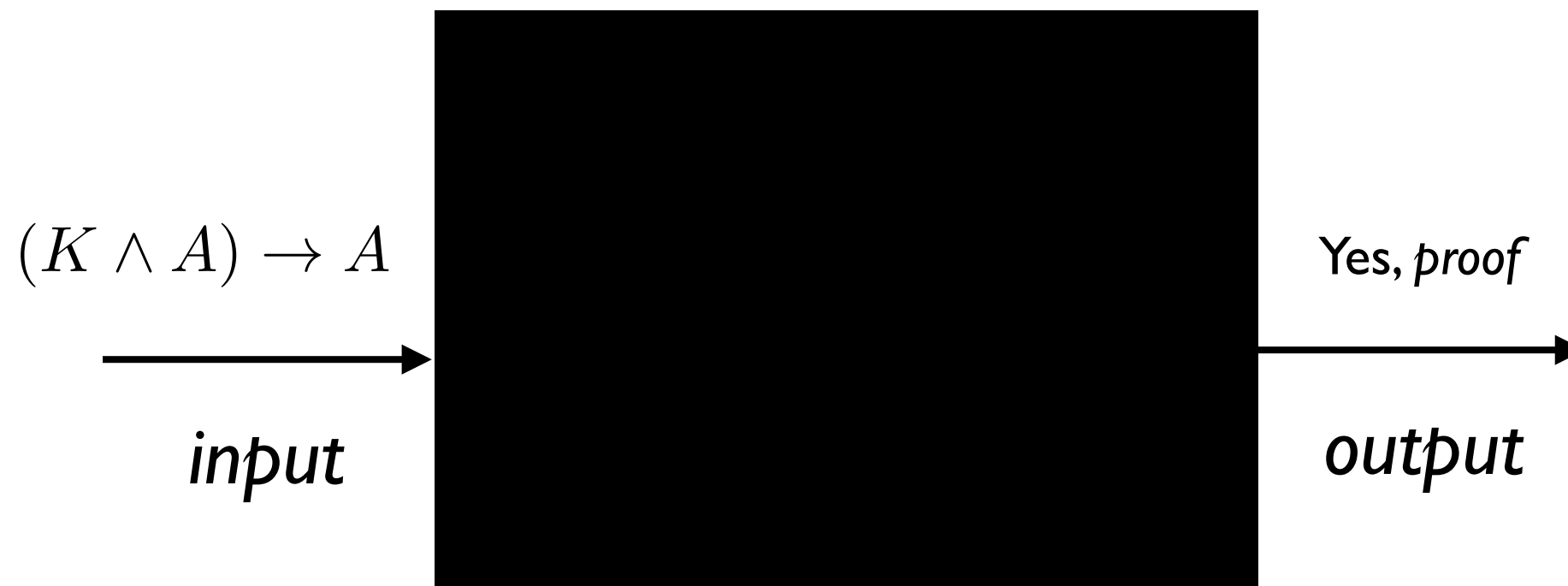
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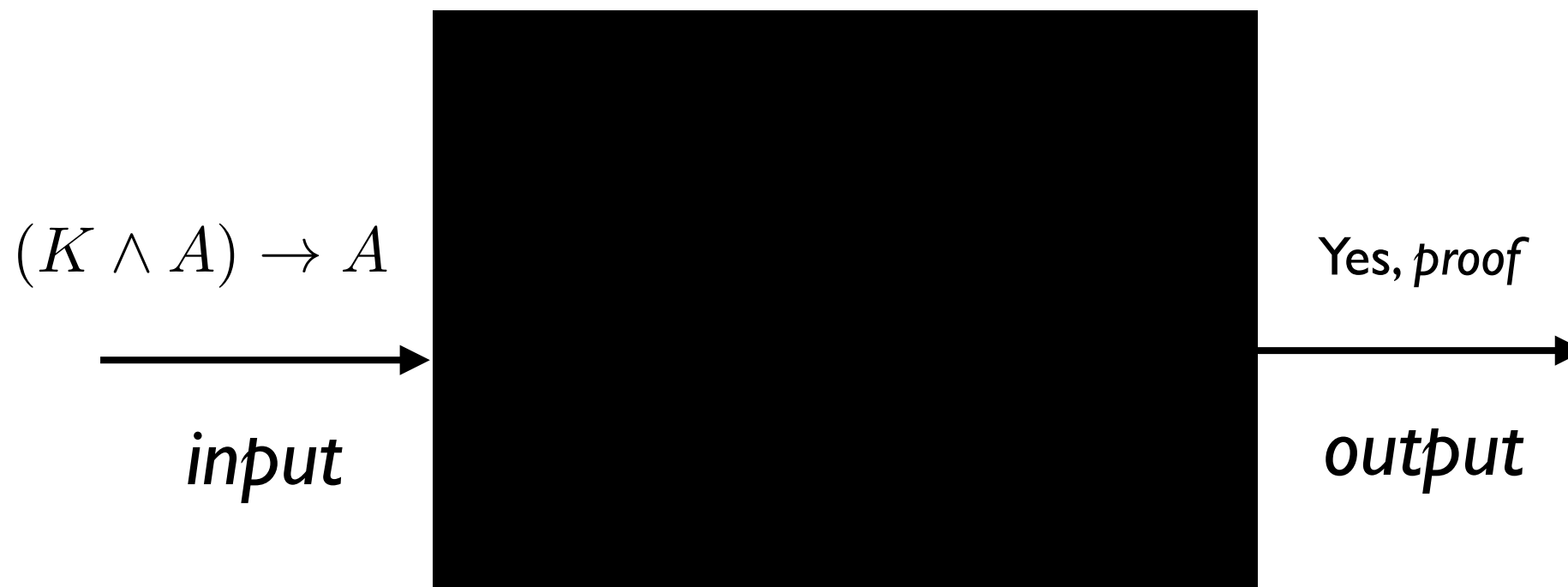
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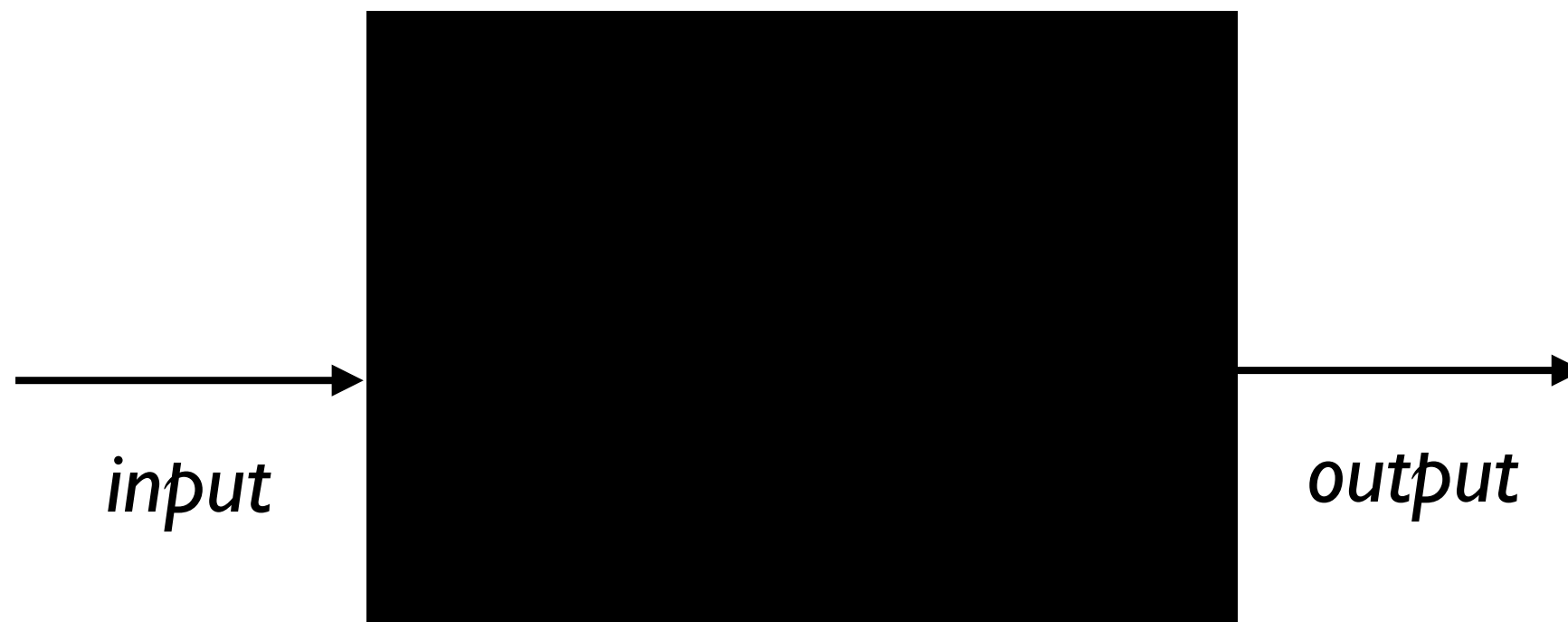


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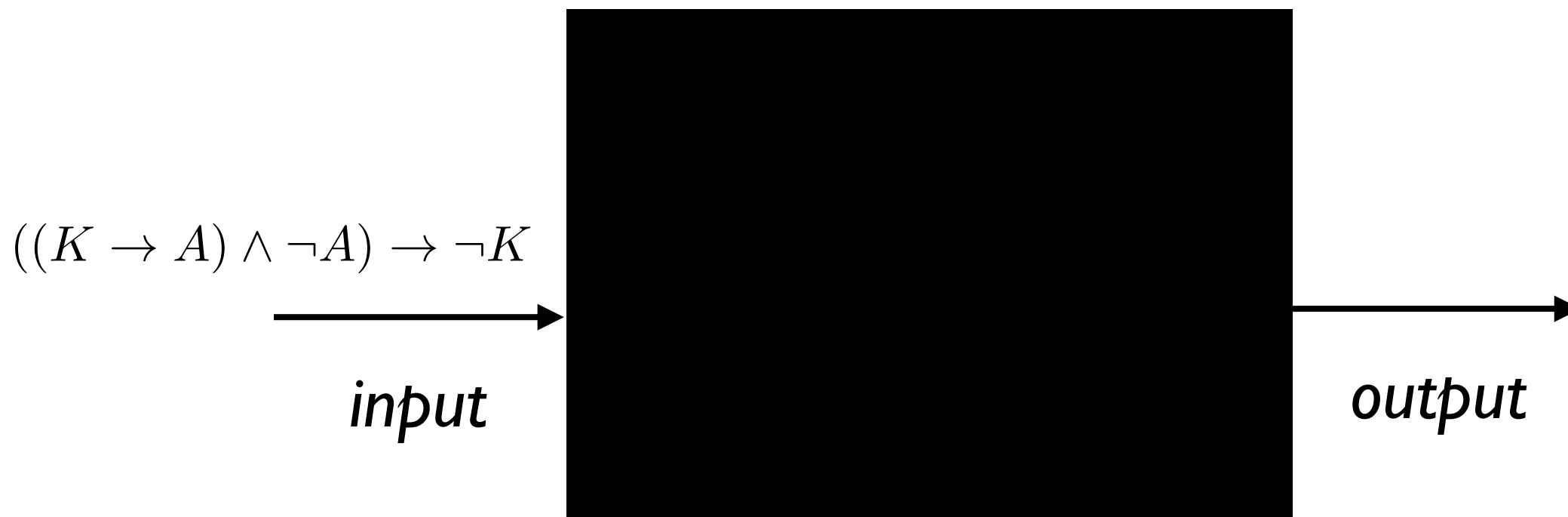
Hard!! — for apparently no polynomial-time algorithm for this!

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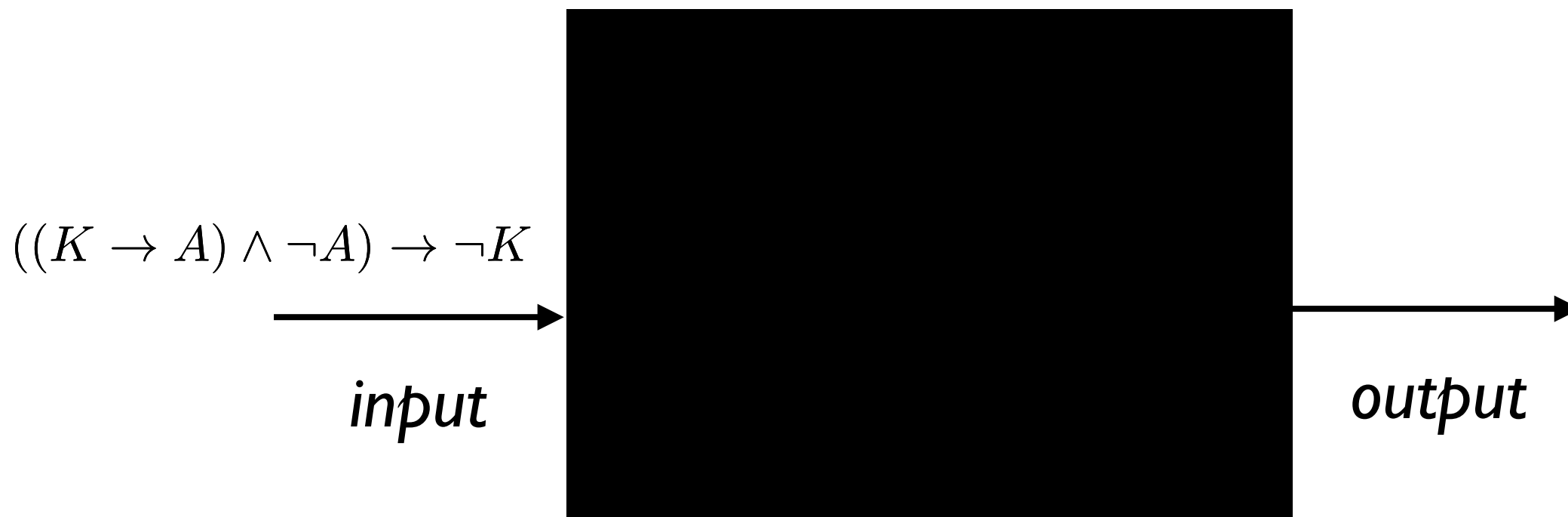
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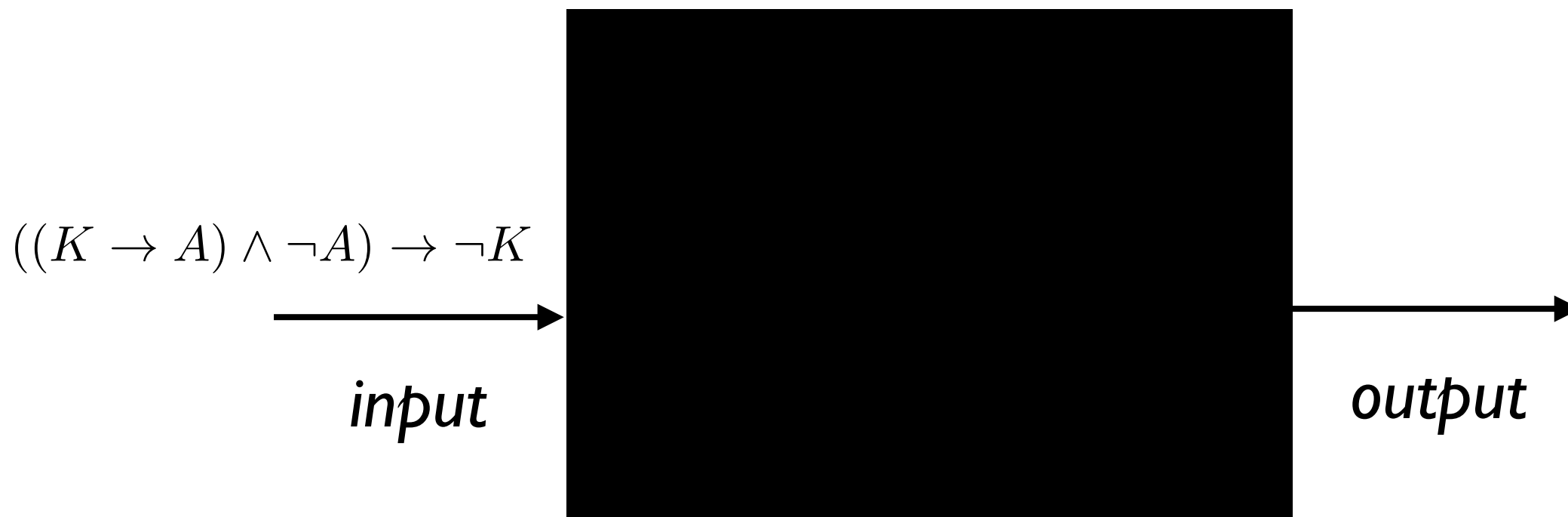
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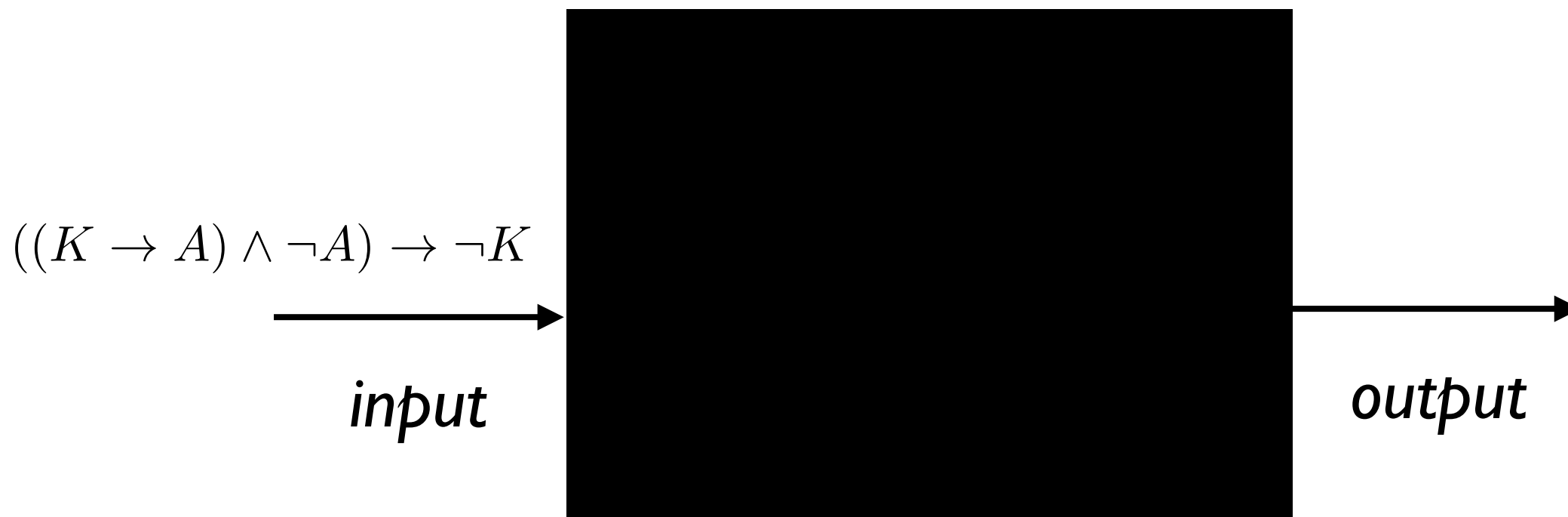
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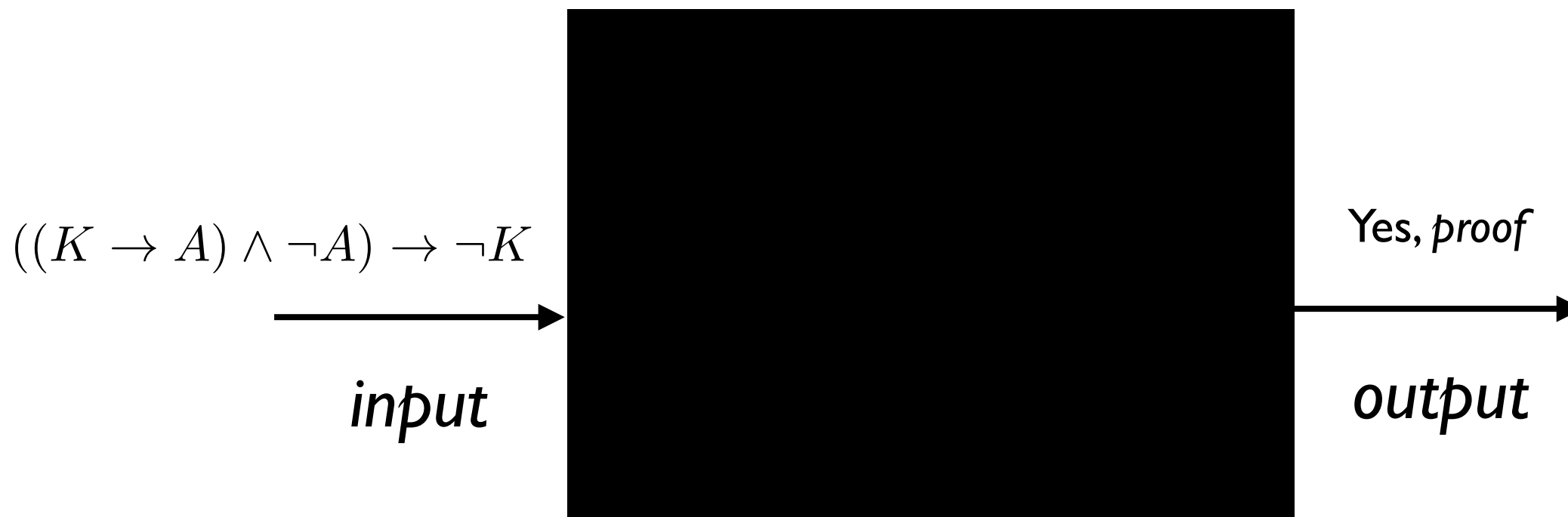
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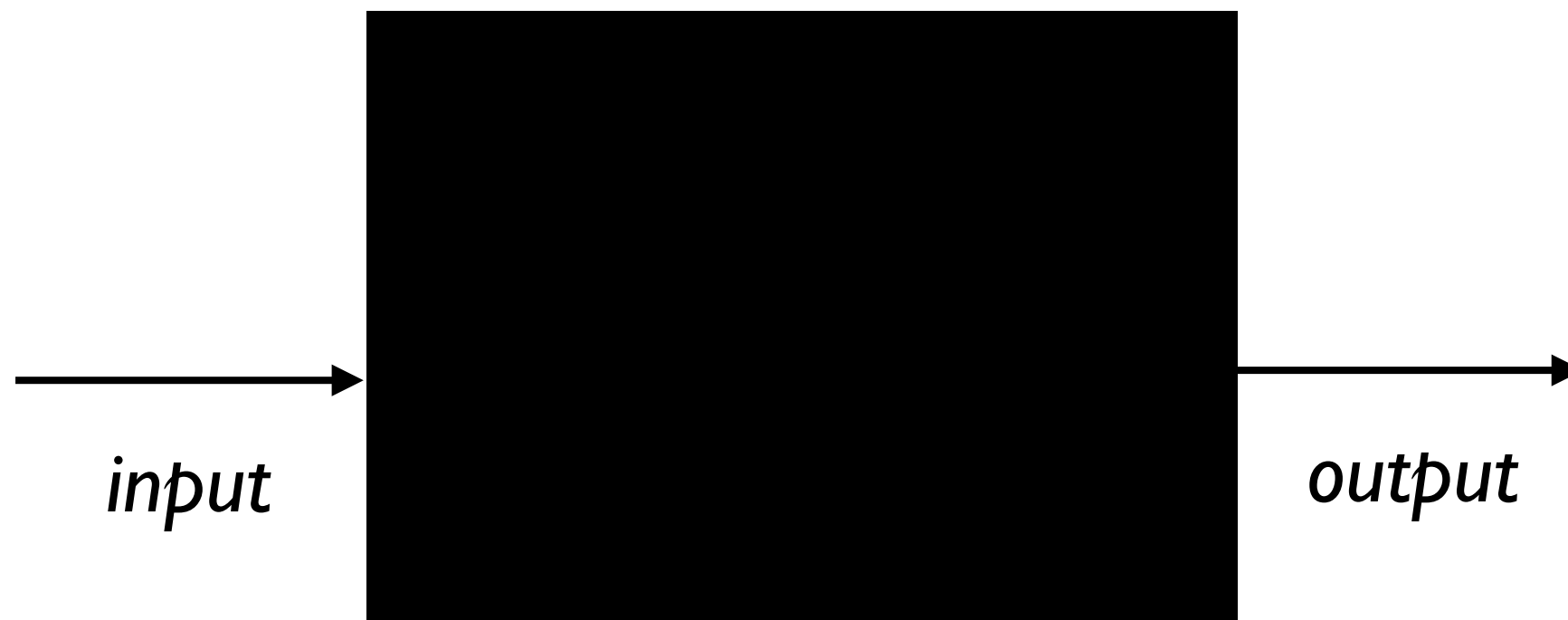
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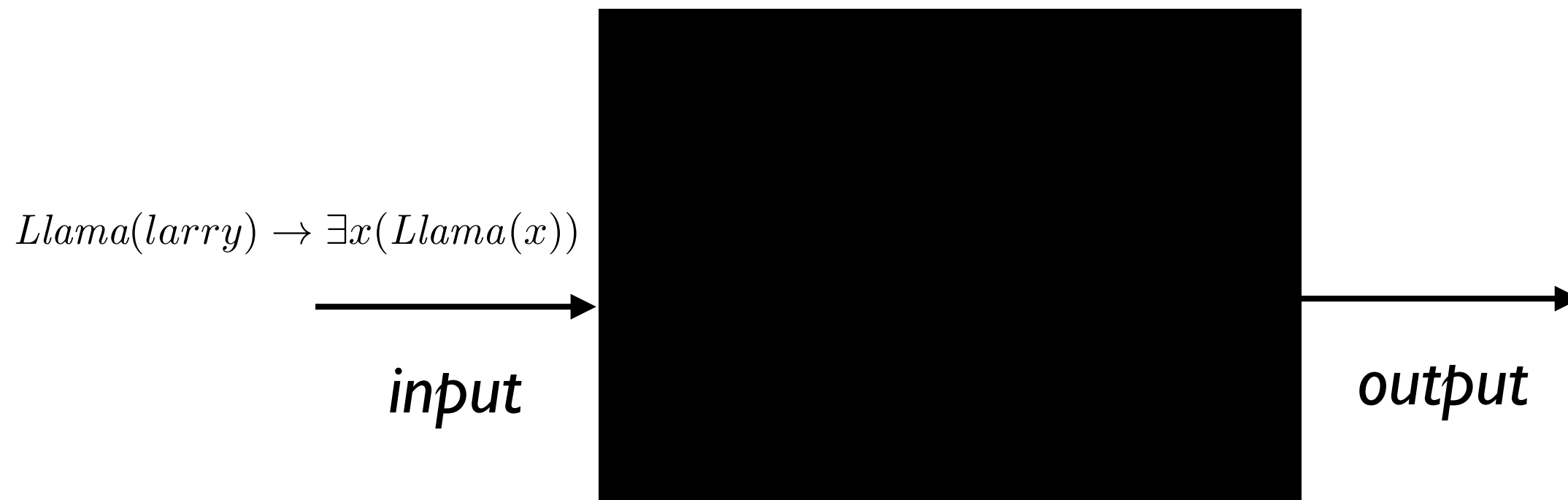


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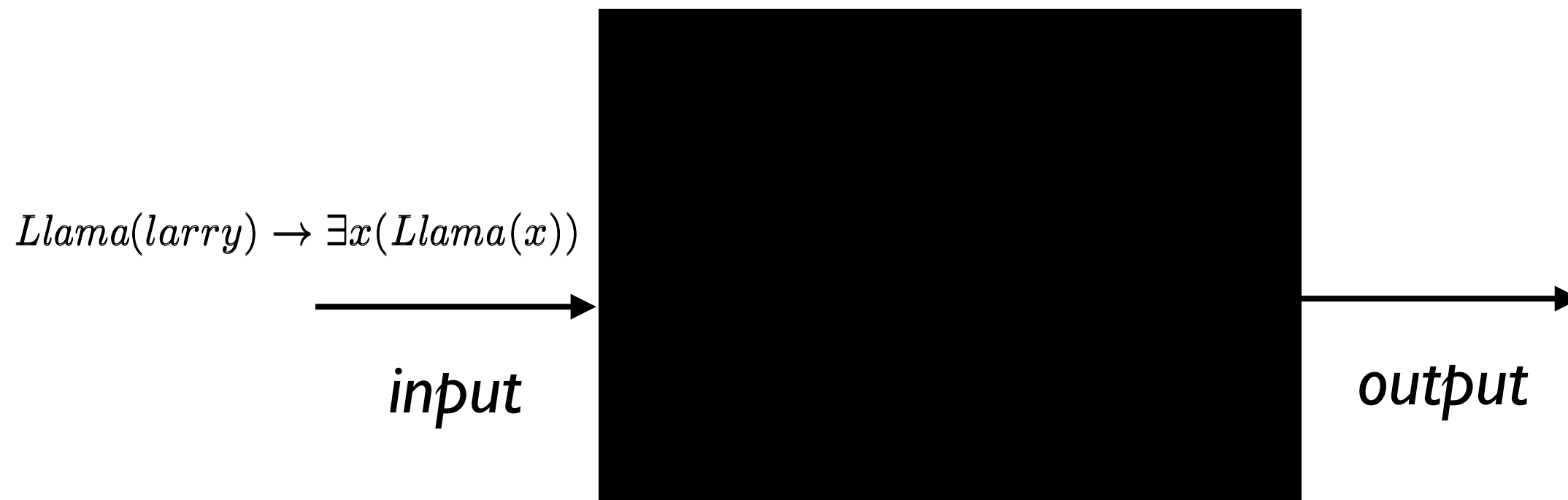
And now, the Theoremhood Decision Problem,
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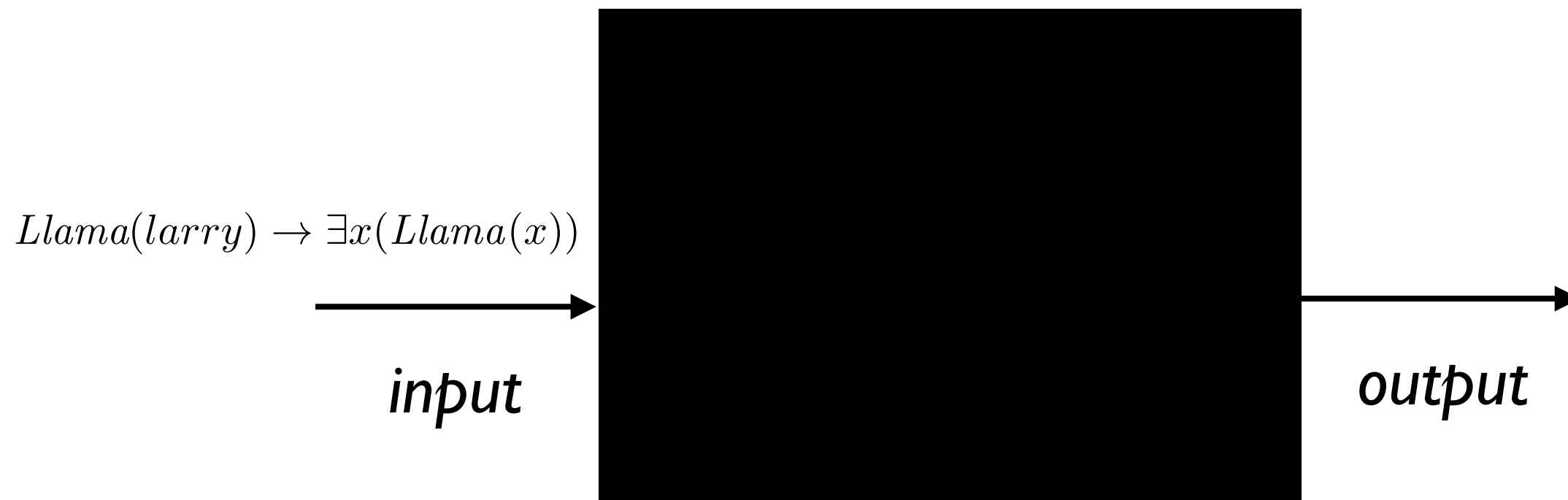
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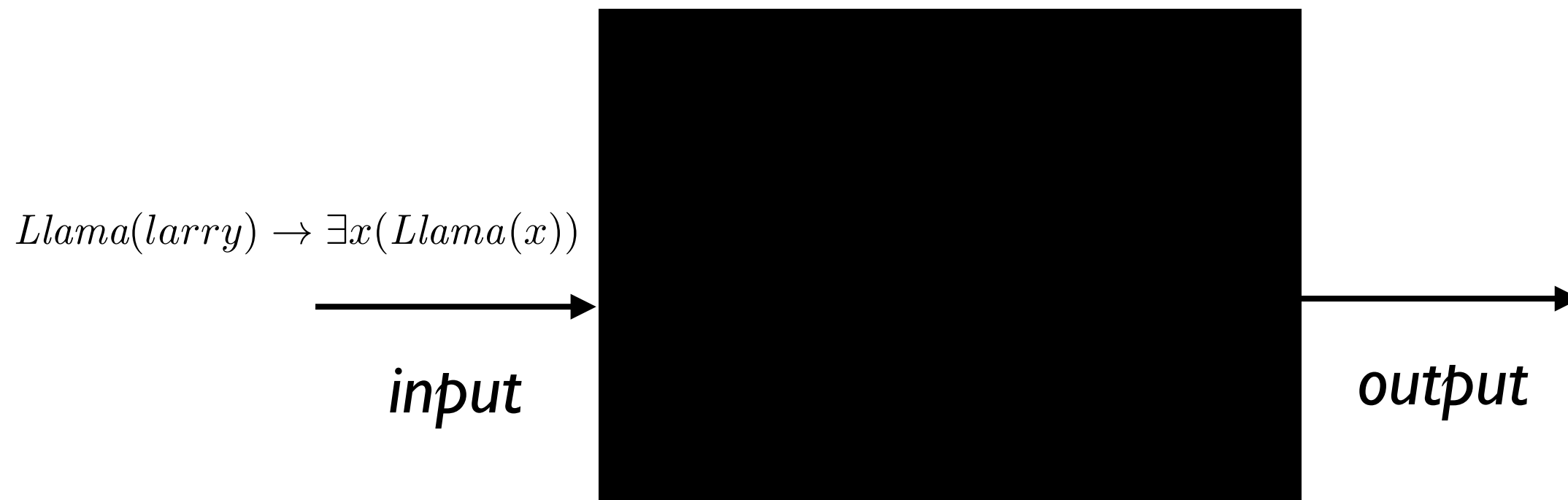
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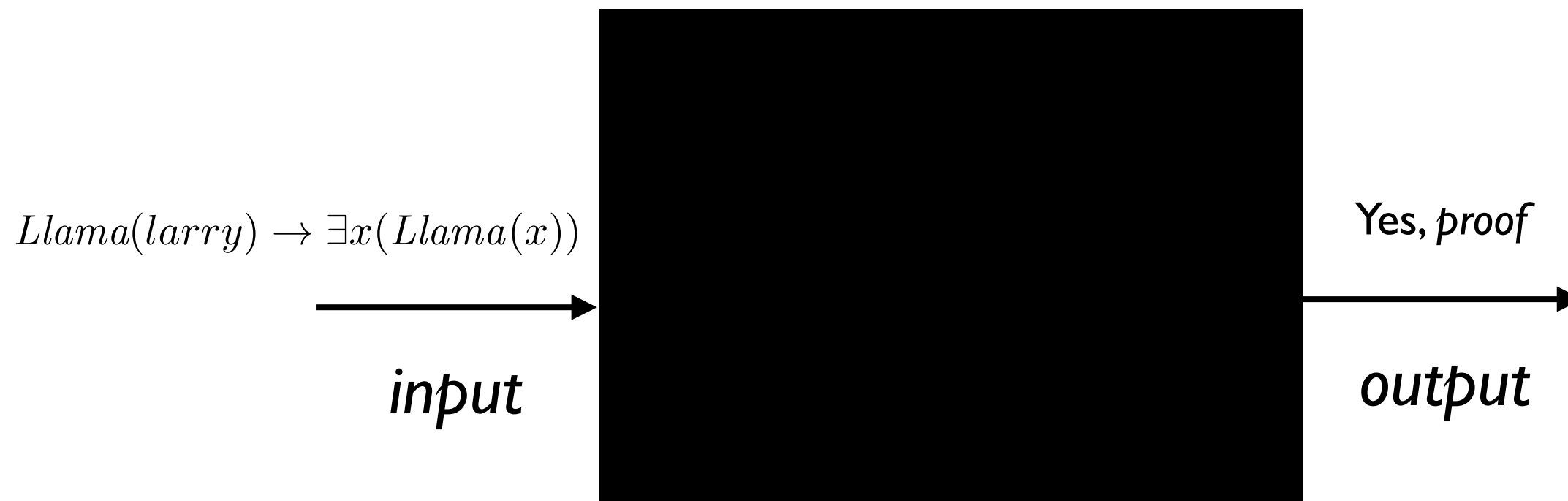
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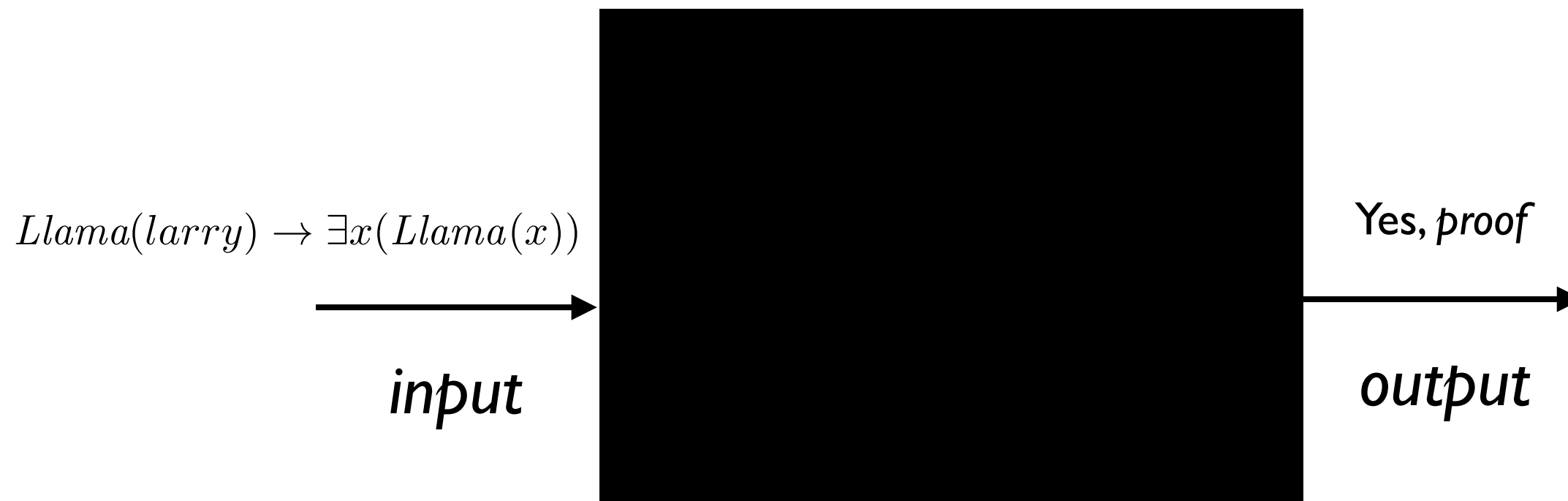
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Not just hard: *impossible* for a (and this needed to be *invented* in the course of clarifying and solving the problem) standard computing machine.

Applying this to ...

The Singularity Question

Applying this to ...

The Singularity Question

\mathcal{A} :

Premise 1 There will be AI (created by HI and such that $AI = HI$).

Premise 2 If there is AI, there will be AI^+ (created by AI).

Premise 3 If there is AI^+ , there will be AI^{++} (created by AI^+).

\therefore **S** There will be AI^{++} (= \mathcal{S} will occur).

(Good-Chalmers Argument)

(Kurzweil is an “extrapolationist.”)

Applying this to ...

The Singularity Question

So, these super-smart machines that will be built by human-level-smart machines, they can't *possibly* be smart enough to solve the *Entscheidungsproblem*. Hence they'll be just (recursively) faster at solving problems we can routinely solve? What's so super-smart about *that*?

Logikk kan gi dyp glede!