

Introducing (= Part I) ... Pure General Logic Programming (PGLP), and HyperLog™

Selmer Bringsjord

Rensselaer AI & Reasoning (RAIR) Lab
Department of Cognitive Science
Department of Computer Science
Lally School of Management & Technology
Rensselaer Polytechnic Institute (RPI)
Troy, New York 12180 USA

IFLAI
2/22/2021



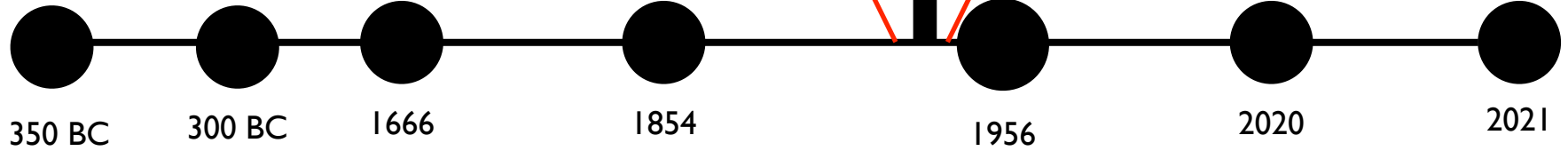
Entscheidungsproblem

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“Universal
Computational Logic”



Logic Theorist
(birth of modern logicist AI)



350 BC

300 BC

1666

1854

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Euclid

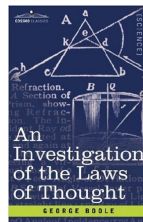


Organon



Leibniz

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Simon

Intro to (Formal) Logic (& AI)

The Singularity?

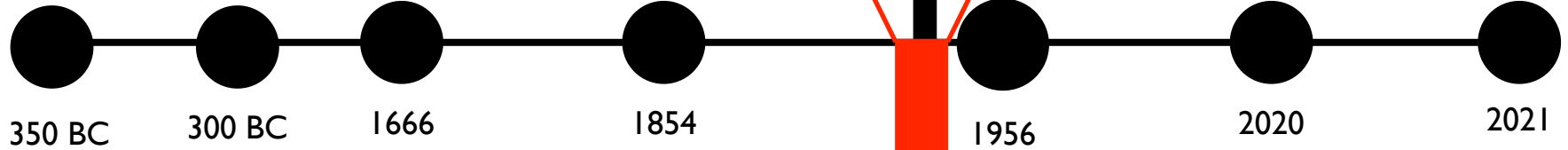
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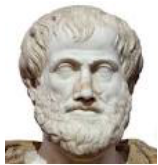
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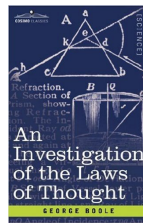


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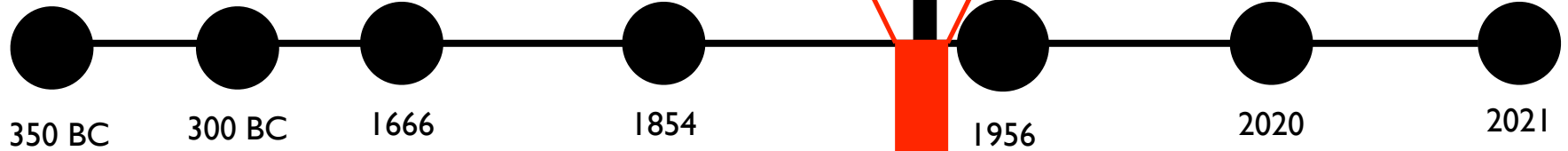
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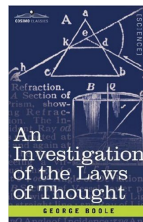


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Frege

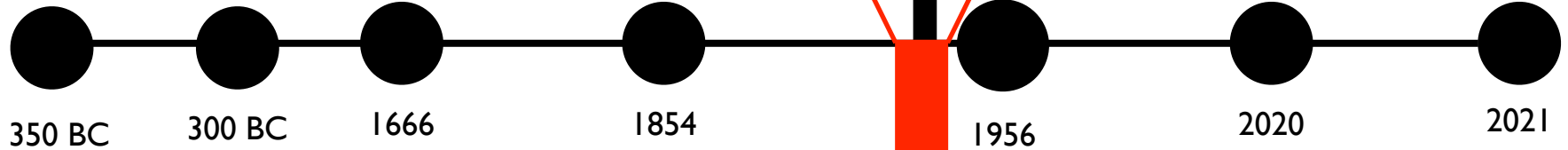
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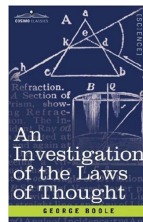
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Exceeds Leibniz & de-mystifies Euclid: the “compellingness” of these proofs consists in their being, at bottom, formal proofs in first-order logic (FOL).

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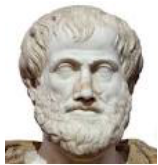
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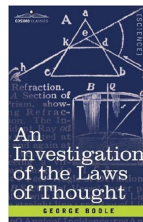


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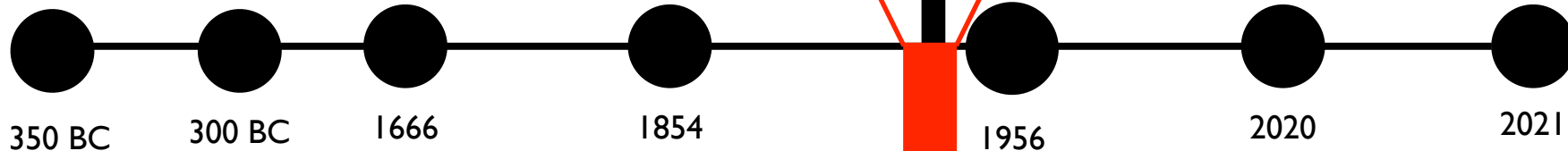
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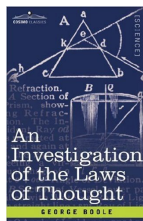


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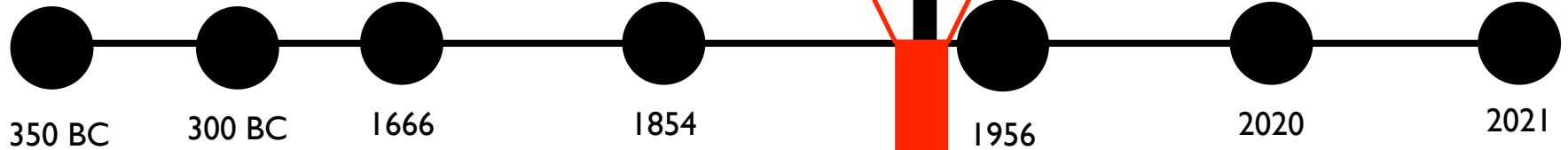
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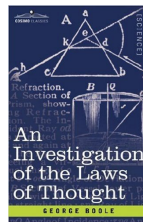


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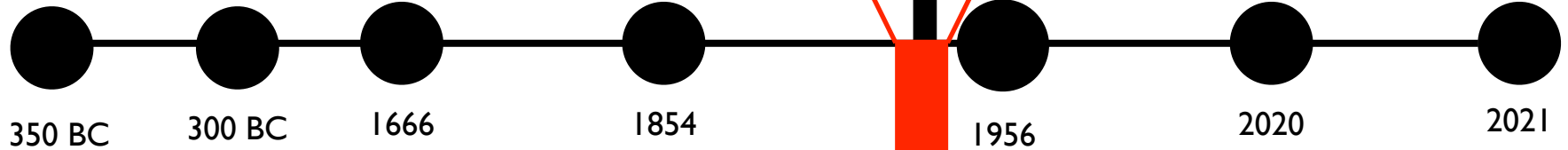
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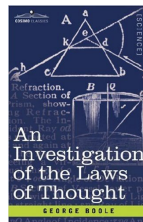


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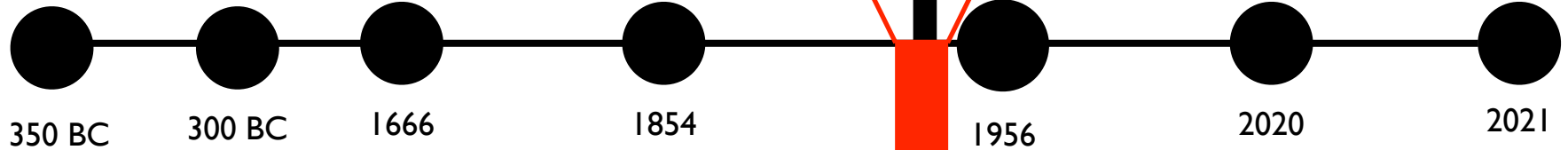
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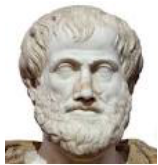
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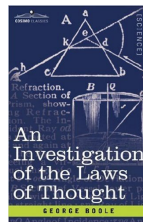
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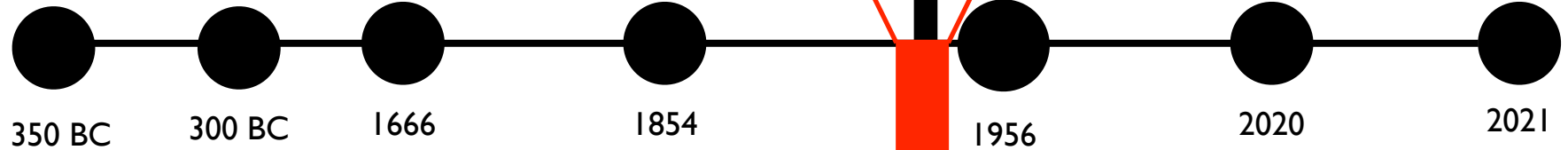
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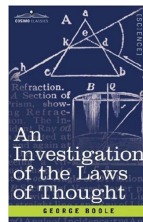


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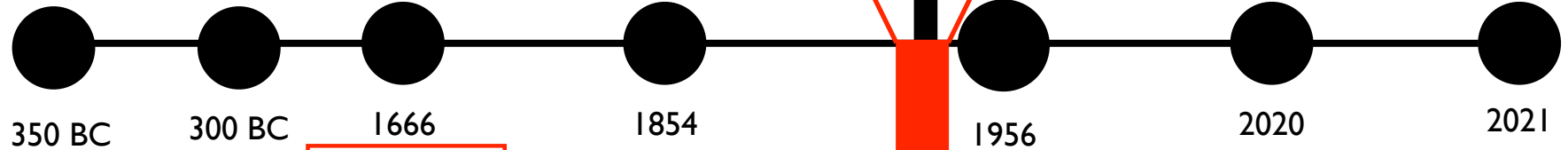
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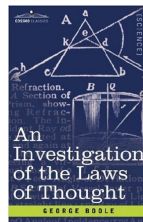


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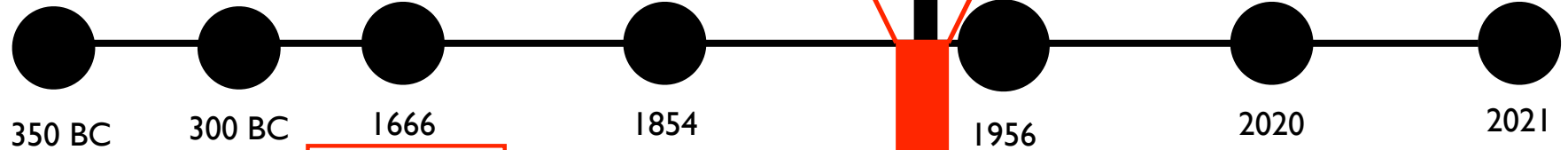
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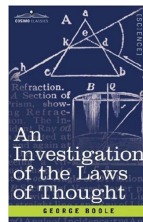


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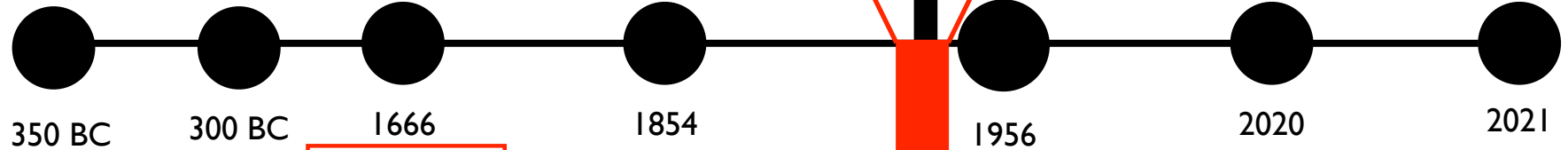
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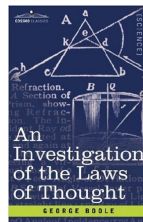


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Programming Languages

COURSE HOME

SYLLABUS

CALENDAR

ASSIGNMENTS

EXAMS

TOOLS

DOWNLOAD COURSE MATERIALS



Programming computer screen. (Photo courtesy of [openphoto.net](#).)

Instructor(s)

Prof. Michael Ernst

MIT Course Number

6.821

As Taught In

Fall 2002

Level

Graduate

[CITE THIS COURSE](#)

Course Features

> [Assignments: programming \(no examples\)](#) > [Exams \(no solutions\)](#)

Course Description

6.821 teaches the principles of functional, imperative, and logic programming languages. Topics covered include: meta-circular interpreters, semantics (operational and denotational), type systems (polymorphism, inference, and abstract types), object oriented programming, modules, and multiprocessing. The course involves substantial programming assignments and problem sets as well as a significant amount of reading. The course uses the Scheme+ programming language for all of its assignments.

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Syllabus

Programming Languages CSCI-4430

Meetings: Webex, TF 2:30-4:20pm

Website: <http://www.cs.rpi.edu/~milanova/csci4430>

I. Brief Course Description

This course is a study of important concepts in programming languages. Topics include programming language syntax and semantics, types and parameter passing, and programming paradigms (logic-oriented, functional, von Neumann, object-oriented).

Prerequisite: Introduction to Algorithms (CSCI 2300) and Principles of Software (CSCI 2600)

Mailing list: proglang@cs.lists.rpi.edu. Email goes to Milanova, Kuzmin, and Hulbert. Use this list for administrative questions, including homework extension requests, quiz and exam makeup requests, extra time scheduling, and so on.

II. Learning Outcomes

The goal of this course is to teach students how to analyze programming languages. Students will become more productive programmers, will be able to learn new programming languages with ease, and will be able to choose the most suitable programming language for a given problem.

Concretely, students who successfully complete the course should be able to 1) explain programming language syntax and semantics, 2) implement a front-end for a programming language, 3) explain the concepts of scoping, data abstraction, types, control abstraction, and parameter passing, which are essential building blocks of programming languages, and 4) demonstrate competence across a spectrum of programming language paradigms by writing programs in Prolog, Scheme, and Haskell.

III. Required Textbook

Programming Language Pragmatics, Fourth Edition, by Michael Scott, Morgan Kaufmann, 2015.

IV. Class Work and Policies

Quizzes

There are 9 quizzes that should be completed and submitted individually. We will drop the lowest quiz grade and only 8 will count towards the final grade. Quizzes will be administered on Submitty at the beginning of our regularly scheduled class time. We will be offering alternative times for quizzes and exams. **If you are unable to attend during regularly scheduled class hours, you must request an alternative time. Email course staff at proglang@cs.lists.rpi.edu by September 10 outlining the reasons why you will be attending at an alternative time (e.g., you reside in a different time zone). We will assign an alternative time and you will be taking the quizzes during this time slot on the date of the quiz. Note that once assigned, you cannot change the quiz time slot.**

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BI:

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“Aha! Currying! I recast multiple-arity
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Athena

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The AI Branch: Automated Reasoning

Two Logicist Branches; B2:

The AI Branch: Automated Reasoning

Leibniz

Two Logician Branches; B2:

The AI Branch: Automated Reasoning

Leibniz

**Simon & Newell @
Dawn of Modern AI: LT & GPS**

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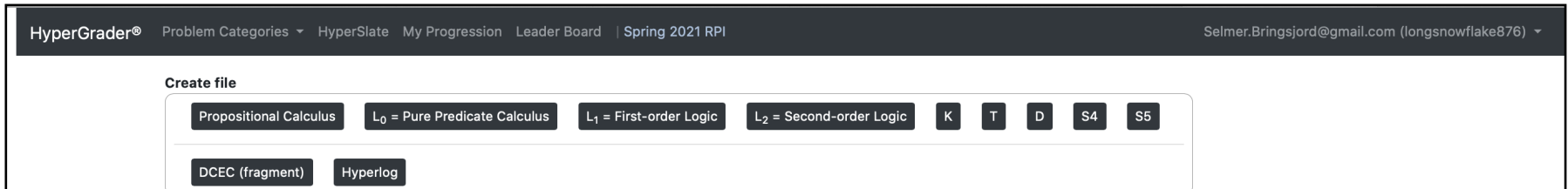
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PGLP

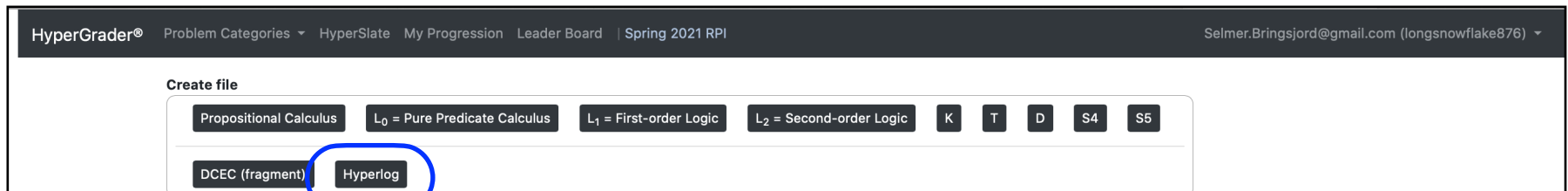
HyperSlate® : HyperLog

Two Logician Branches; B2:

The AI Branch: Automated Reasoning

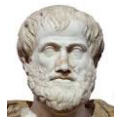
Leibniz

**Simon & Newell @
Dawn of Modern AI: LT & GPS**



PGLP

HyperLog: Historico-logico-programming Landscape



First "logic programs"
300 BC



Liebniz
Dies 1716



Frege
1893



Schöenfinkel
1893

Combinatory Logic



Church

λ -calculus

simple type theory



Logic Theorist
(birth of modern logicist AI)



Simon

1956



Turing

Lisp

Prolog

Fortran

Smalltalk

A
t
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a

ML

Scheme

CL

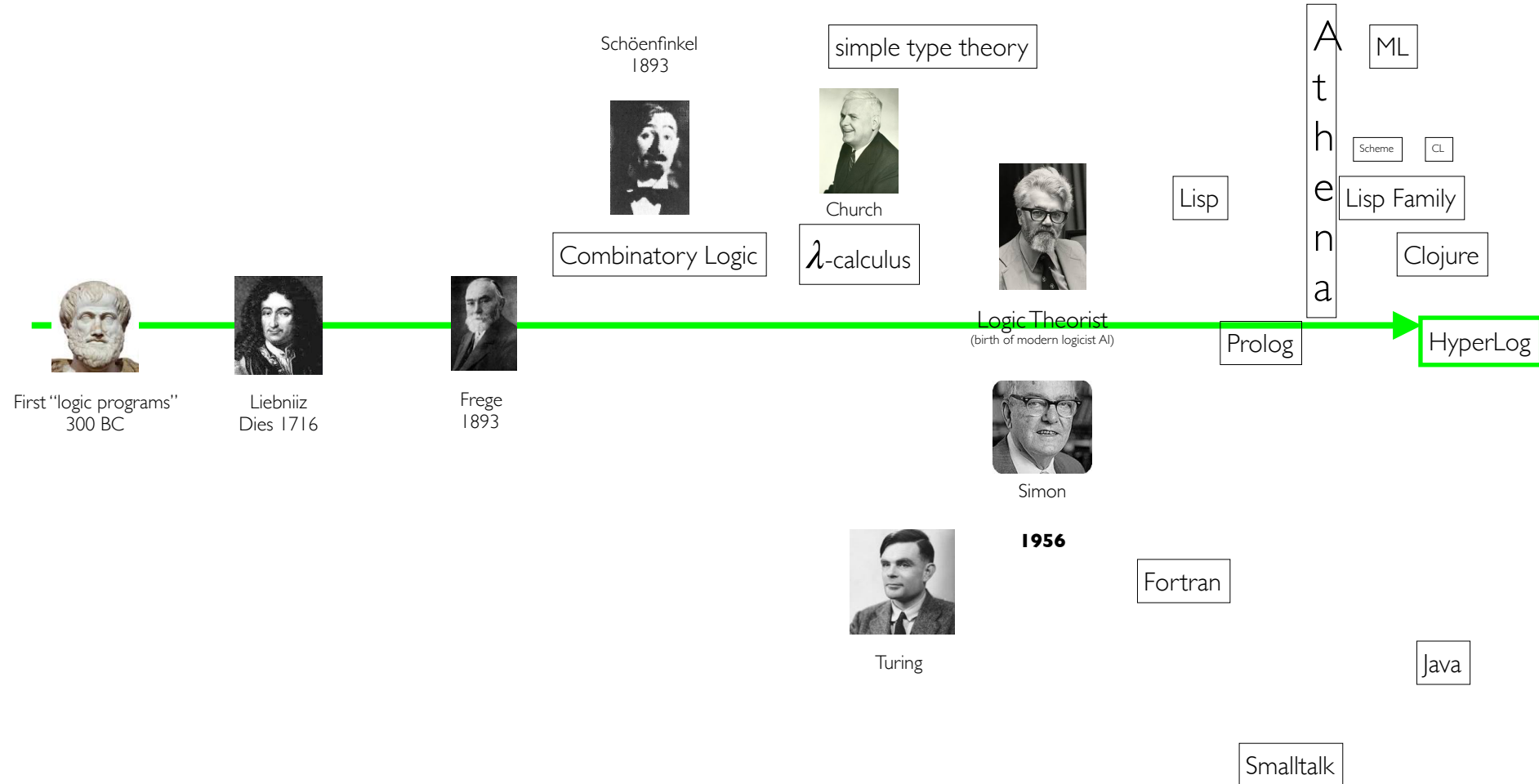
Lisp Family

Clojure

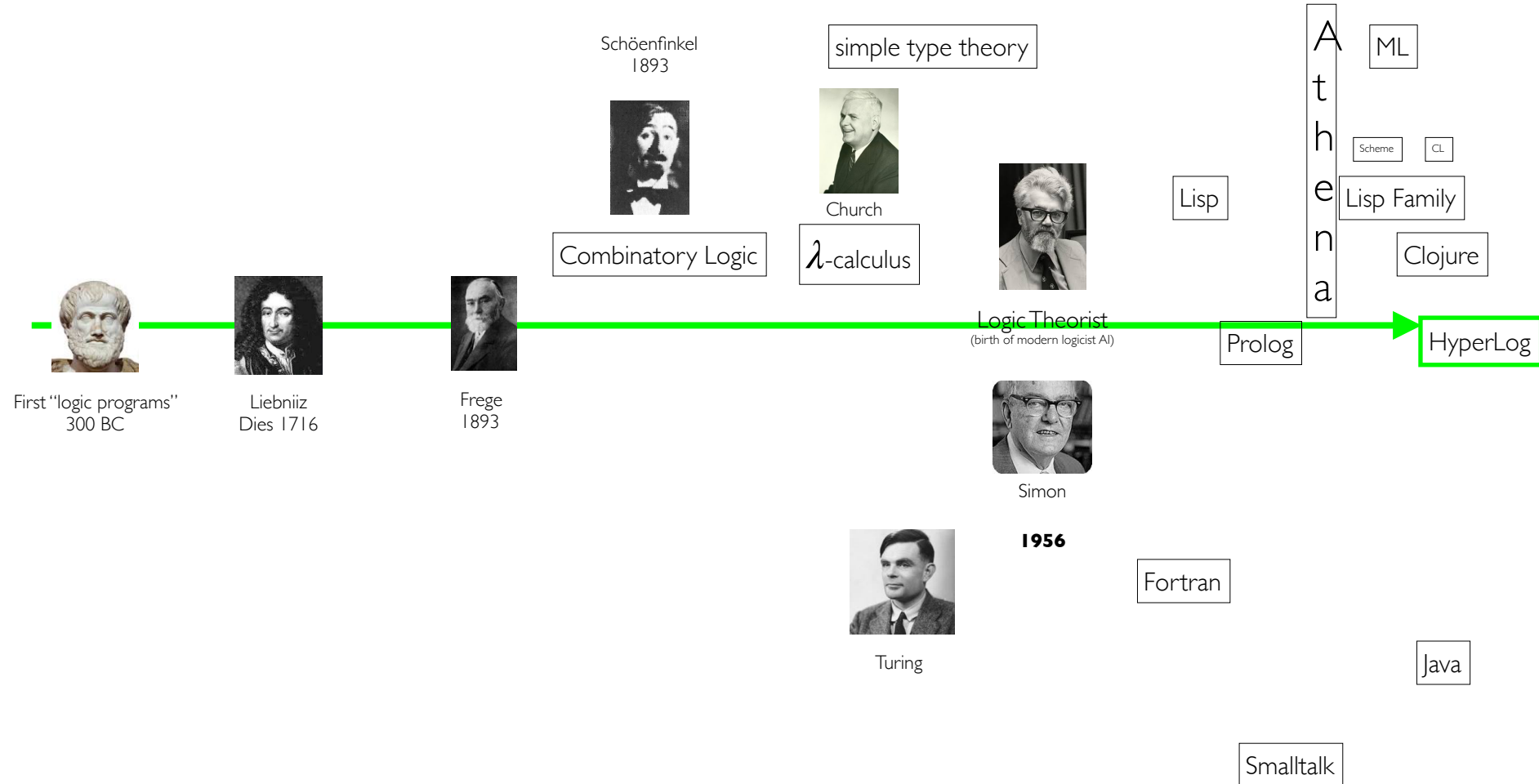
HyperLog

Java

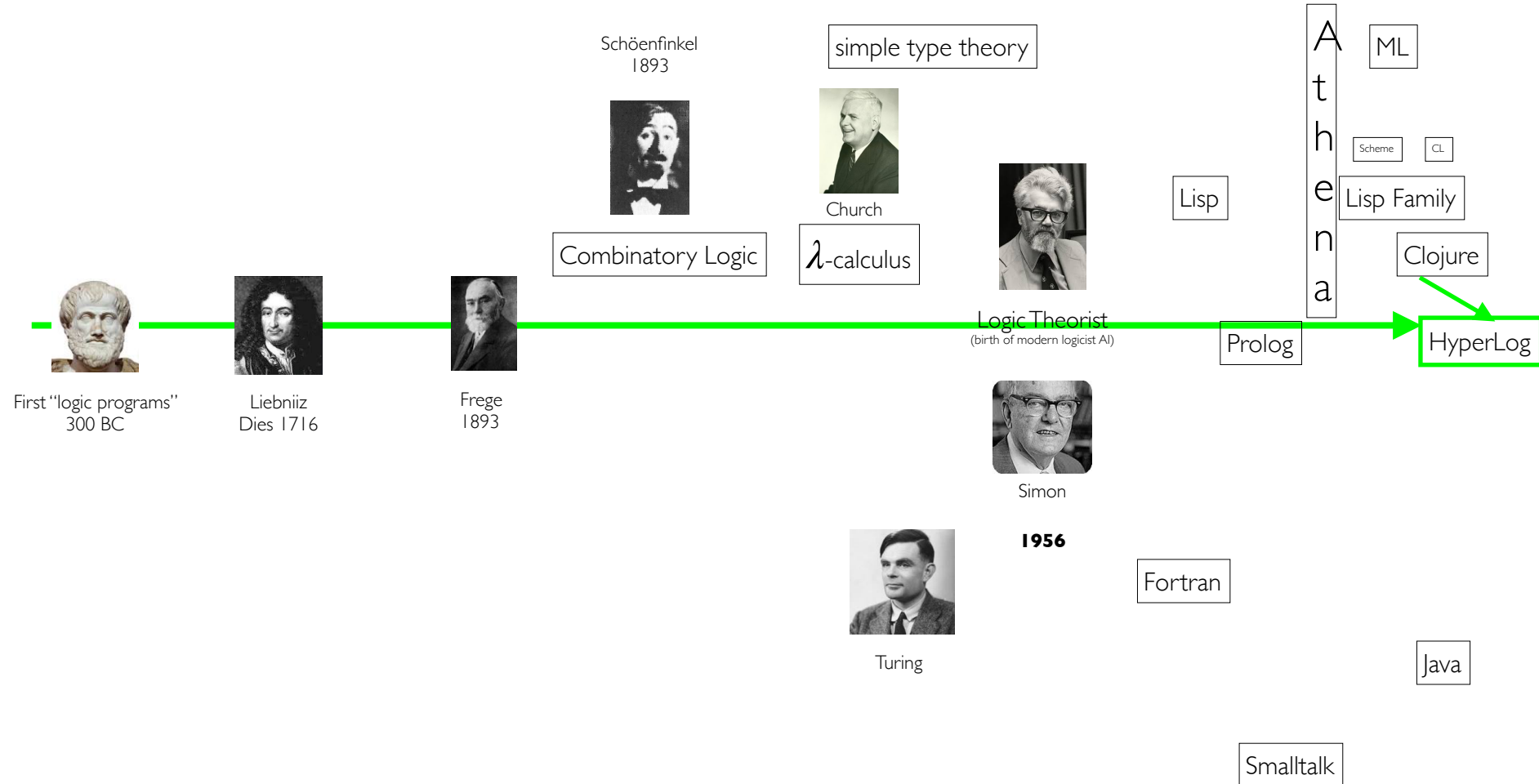
HyperLog: Historico-logico-programming Landscape



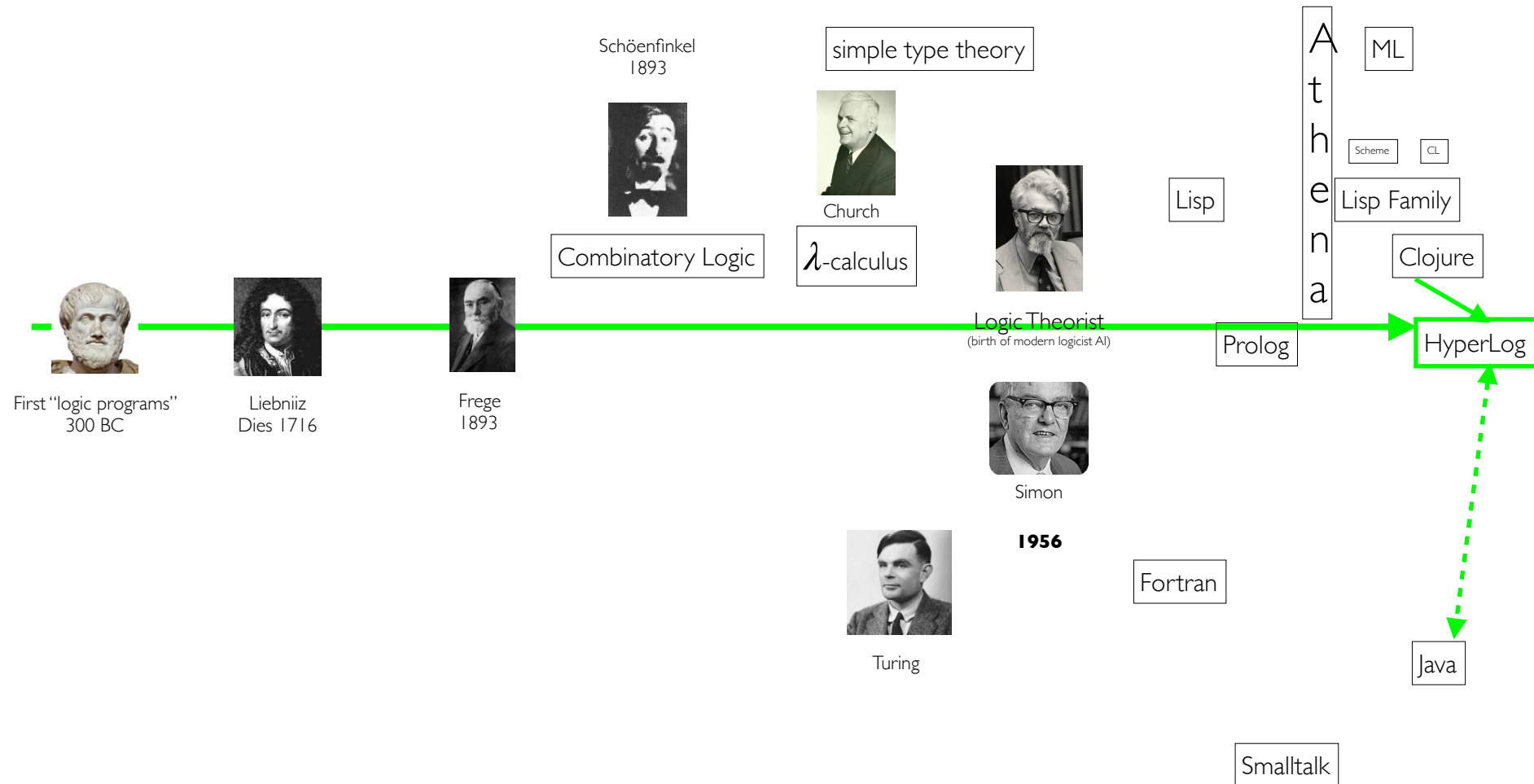
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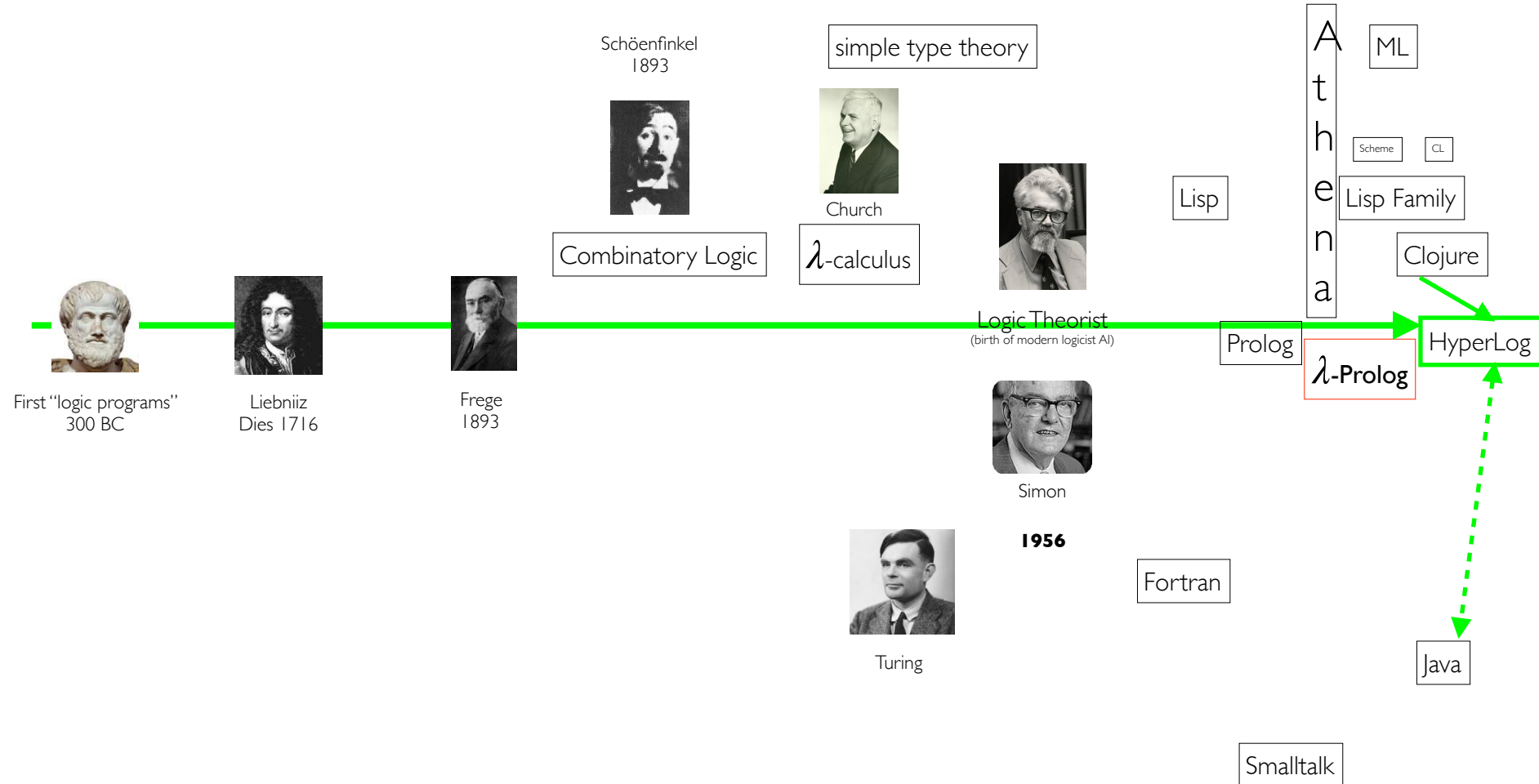
HyperLog: Historico-logico-programming Landscape



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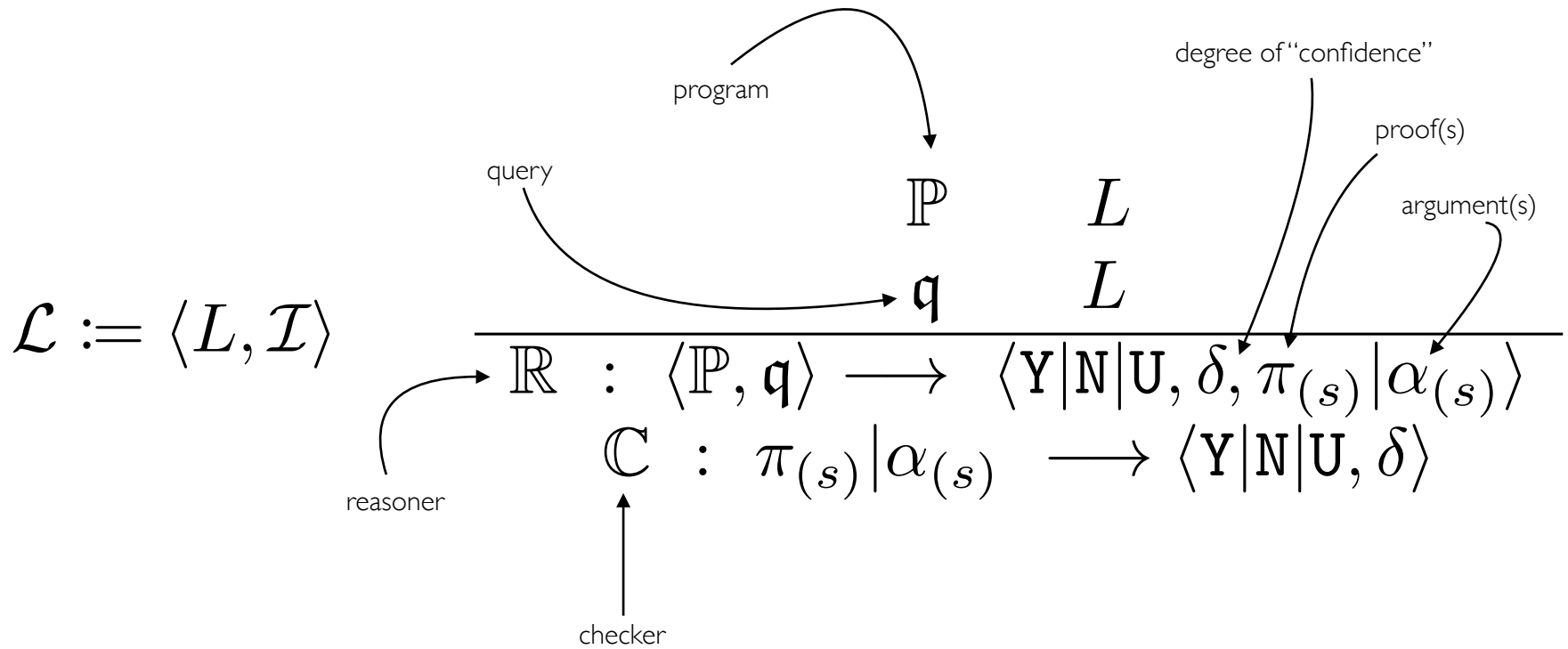
HyperLog: Historico-logico-programming Landscape



Single-Slide Encapsulation ...

$$\mathcal{L} := \langle L, \mathcal{I} \rangle$$

$$\begin{array}{c} \mathbb{P} \quad L \\ \mathfrak{q} \quad L \\ \hline \mathbb{R} : \langle \mathbb{P}, \mathfrak{q} \rangle \longrightarrow \langle Y|N|U, \delta, \pi_{(s)}|\alpha_{(s)} \rangle \\ \mathbb{C} : \pi_{(s)}|\alpha_{(s)} \longrightarrow \langle Y|N|U, \delta \rangle \end{array}$$



I. A Hard Question ...

Easy Question

Easy Question

What is pure procedural programming?

Another Easy Question

Another Easy Question

What is pure functional programming?

A Hard Question

A Hard Question

What is pure *logic* programming?

A Hard Question

What is pure *logic* programming?

A Hard Question

What is pure *logic* programming?

A: ...



B: ...

C: ...

...

Naveen: “Using automated theorem provers ...”



4. Ingredients for Making a PGLP Program

...

On the Anatomy of a PGLP Program

On the Anatomy of a PGLP Program

Linguistics

$\vdots$	$\vdots$	$\vdots$
L_2^μ	meta-level ₂ language	$(\{\phi\} \vdash \psi \wedge \{\psi\} \vdash \delta) \vdash_{\mu_2} \{\phi\} \vdash \delta$
L_1^μ	meta-level ₁ language	$\exists x \text{ rank}(\phi) = x \quad \{\phi\} \vdash \psi \quad \mathfrak{U} \models \phi$
L	object-level language	$\phi \quad \psi \quad \delta$

On the Anatomy of a PGLP Program

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Inference

A collection of inference schemata. (For economy, see coming Example 1.)

On the Anatomy of a PGLP Program

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Reasoning-semantic; wholly inferentialist (after all, what's the semantics of deduction over meta-level₁ formulae??).

On the Anatomy of a PGLP Program

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Selection of language, inference schemata, plus formulae/meta-formulae = $\mathbb{P}_{\mathcal{L}}$

On the Anatomy of a PGLP Program

Linguistics

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Selection of language, inference schemata, plus formulae/meta-formulae = $\mathbb{P}_{\mathcal{L}}$ + ShadowReasoner

On the Anatomy of a PGLP Program

Linguistics

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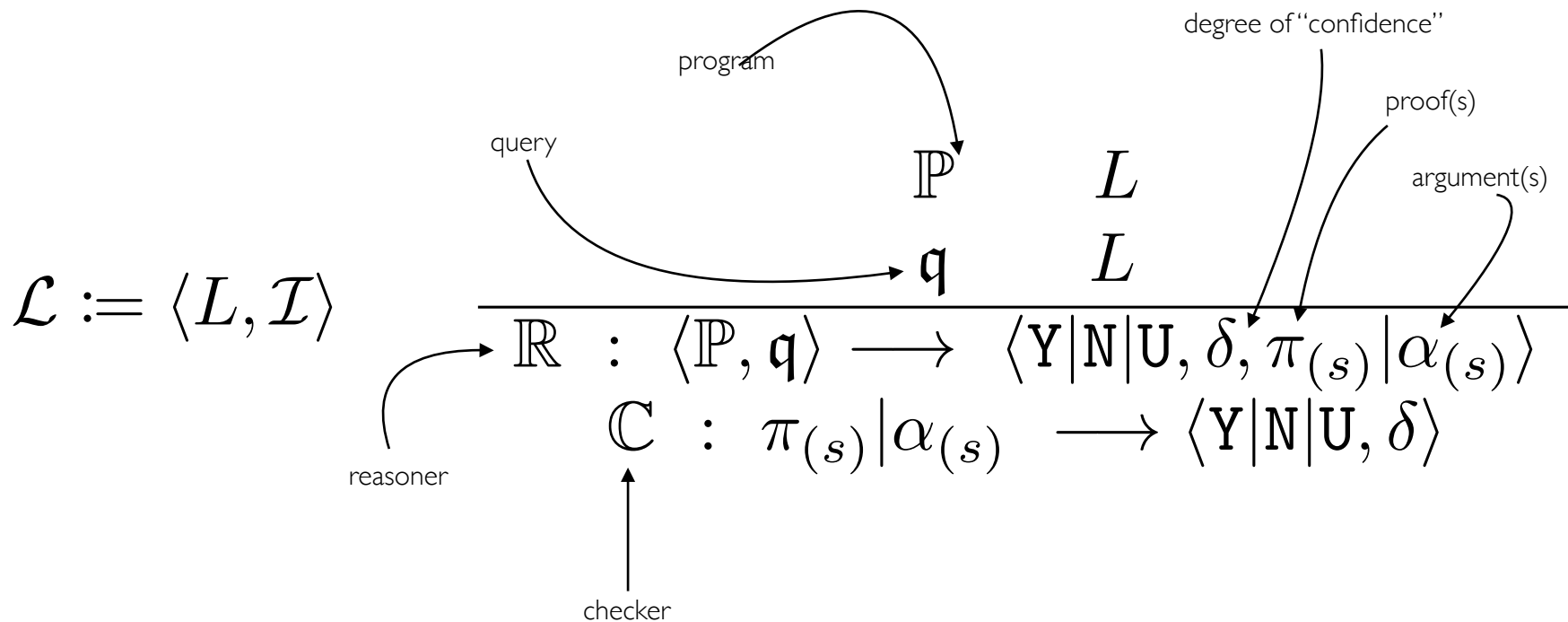
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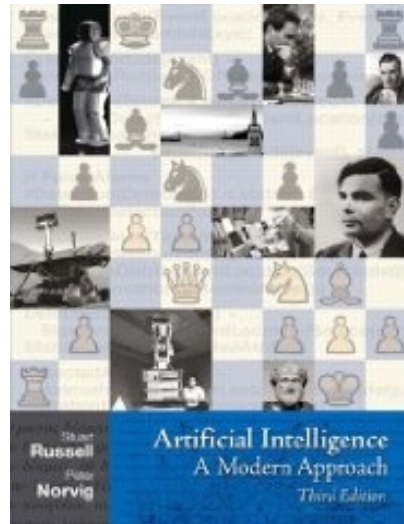
$\mathcal{L}$



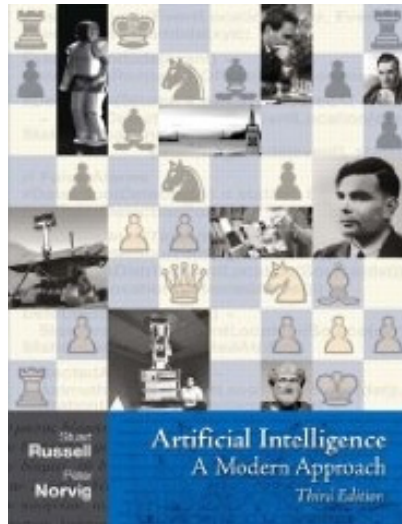
AI today ...

AI today:

AI today:



AI today:




Stanford Encyclopedia of Philosophy

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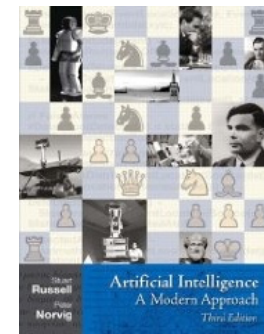
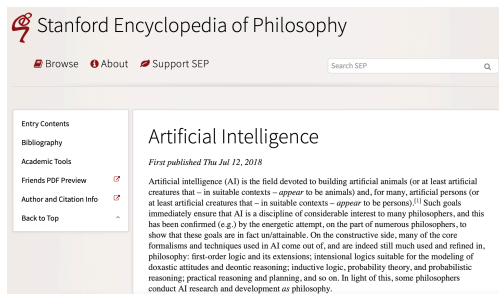
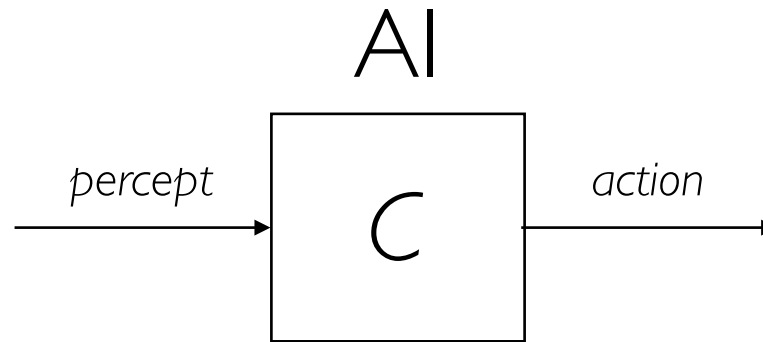
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Artificial Intelligence

First published Thu Jul 12, 2018

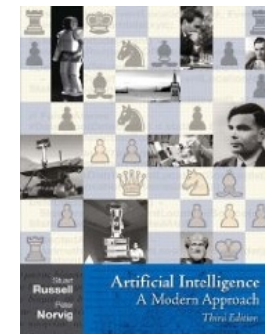
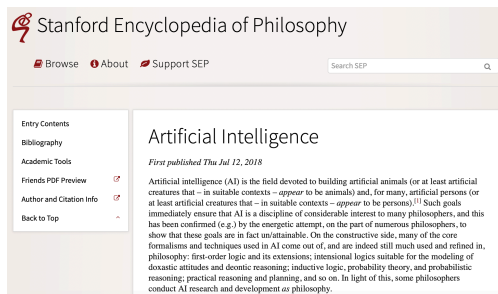
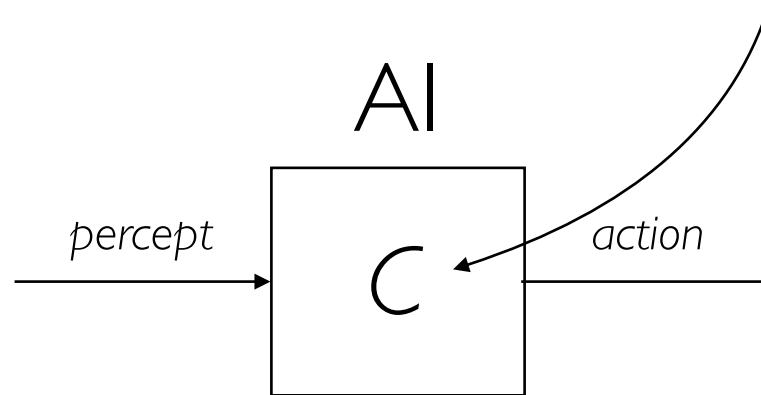
Artificial intelligence (AI) is the field devoted to building artificial animals (or at least artificial creatures that – in suitable contexts – *appear* to be animals) and, for many, artificial persons (or at least artificial creatures that – in suitable contexts – *appear* to be persons).^[1] Such goals immediately ensure that AI is a discipline of considerable interest to many philosophers, and this has been confirmed (e.g.) by the energetic attempt, on the part of numerous philosophers, to show that these goals are in fact un/attainable. On the constructive side, many of the core formalisms and techniques used in AI come out of, and are indeed still much used and refined in, philosophy: first-order logic and its extensions; intensional logics suitable for the modeling of doxastic attitudes and deontic reasoning; inductive logic, probability theory, and probabilistic reasoning; practical reasoning and planning, and so on. In light of this, some philosophers conduct AI research and development *as* philosophy.

AI:



AI:

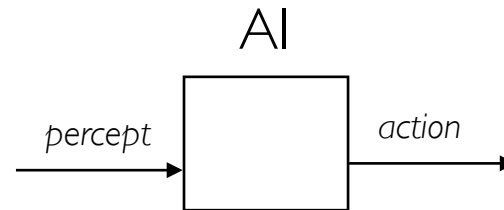
A (Turing-level) entity that computes.



Resurrection of The Triad

The Triad Resurrected & Rebuilt, & Better

Logic
 $\mathcal{L}$

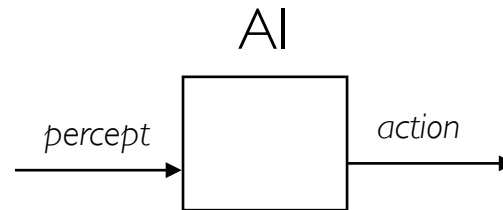


$$\mathcal{L} := \langle L, \mathcal{I} \rangle \quad \frac{\begin{array}{cc} \mathbb{P} & L \\ \mathfrak{q} & L \end{array}}{\begin{array}{l} \mathbb{R} : \langle \mathbb{P}, \mathfrak{q} \rangle \longrightarrow \langle \mathbf{Y} | \mathbf{N} | \mathbf{U}, \delta, \pi_{(s)} | \alpha_{(s)} \rangle \\ \mathbb{C} : \pi_{(s)} | \alpha_{(s)} \longrightarrow \langle \mathbf{Y} | \mathbf{N} | \mathbf{U}, \delta \rangle \end{array}}$$

Pure General Logic Programming

The Triad Resurrected & Rebuilt, & Better

Logic
 $\mathcal{L}$



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 \end{array}$$

Pure General Logic Programming

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Pure General Logic Programming

What's Part 2 about ? ...

PROGRAMMING LANGUAGE PRAGMATICS

FOURTH EDITION

Michael L. Scott

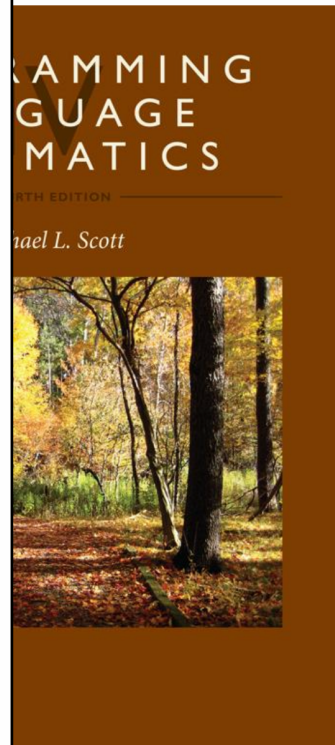


MK
MOSKOWSKI & KAPLAN

Alternative Programming Models

As we noted in [Chapter 1](#), programming languages are traditionally though imperfectly classified into various imperative and declarative families. We have had occasion in Parts I and II to mention issues of particular importance to each of the major families. Moreover much of what we have covered—syntax, semantics, naming, types, abstraction—applies uniformly to all. Still, our attention has focused mostly on mainstream imperative languages. In Part III we shift this focus.

Functional and logic languages are the principal nonimperative options. We consider them in [Chapters 11](#) and [12](#), respectively. In each case we structure our discussion around representative languages: Scheme and OCaml for functional programming, Prolog for logic programming. In [Chapter 11](#) we also cover eager and lazy evaluation, and first-class and higher-order functions. In [Chapter 12](#) we cover issues that make fully automatic, general purpose logic programming difficult, and describe restrictions used in practice to keep the model tractable. Optional sections in both chapters consider mathe-



Models

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mathematical foundations: Lambda Calculus for functional programming, Predicate Calculus for logic programming.

The remaining two chapters consider concurrent and scripting models, both of which are increasingly popular, and cut across the imperative/declarative divide. Concurrency is driven by the hardware parallelism of internetworked computers and by the coming explosion in multithreaded processors and chip-level multiprocessors. Scripting is driven by the growth of the World Wide Web and by an increasing emphasis on programmer productivity, which places rapid development and reusability above sheer runtime performance.

[Chapter 13](#) begins with the fundamentals of concurrency, including communication and synchronization, thread creation syntax, and the implementation of threads. The remainder of the chapter is divided between *shared-memory* models, in which threads use explicit or implicit synchronization mechanisms to manage a common set of variables, and (on the companion site) *message-passing* models, in which threads interact only through explicit communication.

The first half of [Chapter 14](#) surveys problem domains in which scripting plays a major role: shell (command) languages, text processing and report generation, mathematics and statistics, the "gluing" together of program components, extension mechanisms for complex applications, and client and server-side Web scripting. The second half considers some of the more important language innovations championed by scripting languages: flexible scoping and naming conventions, string and pattern manipulation (extended regular expressions), and high level data types.

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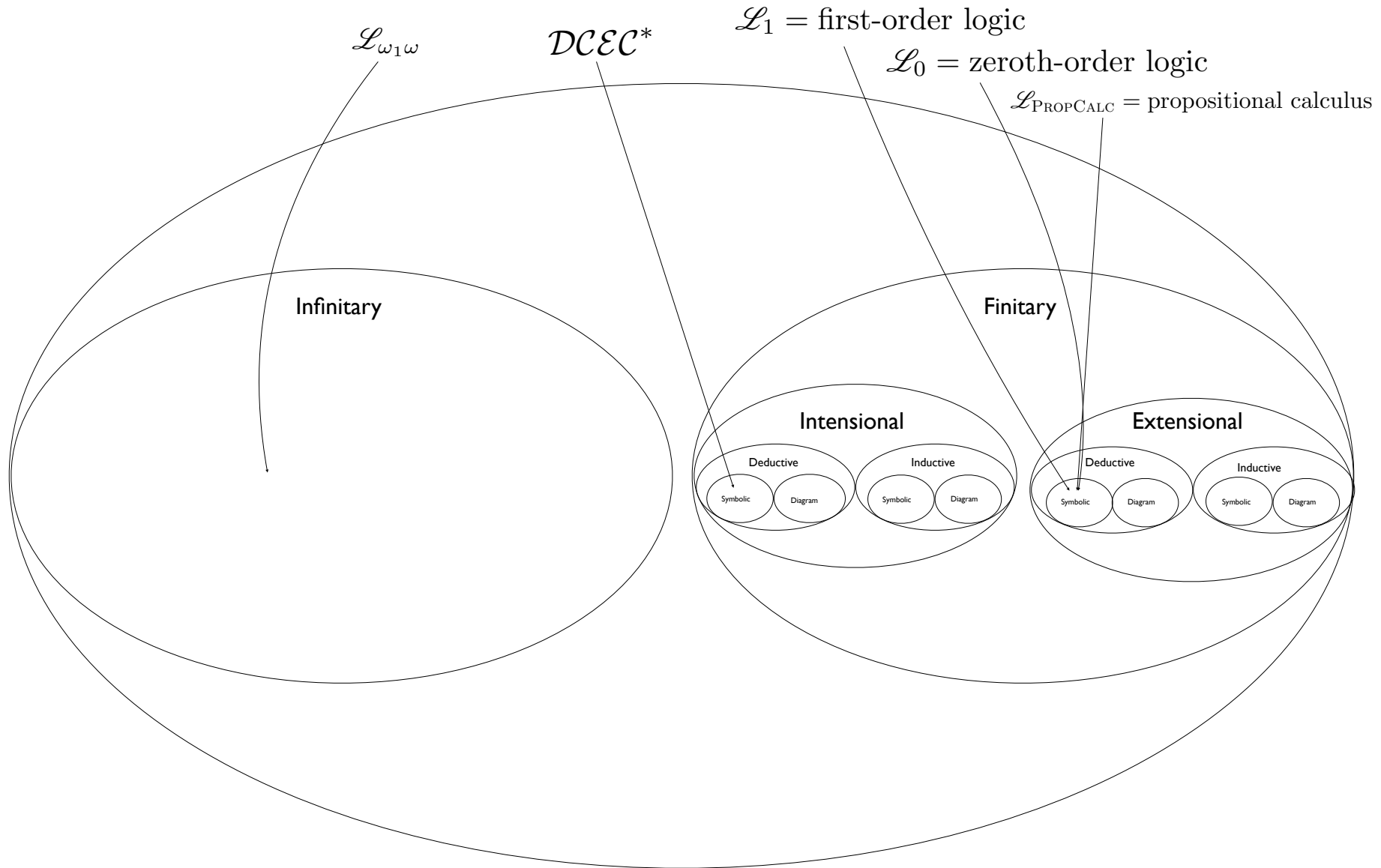
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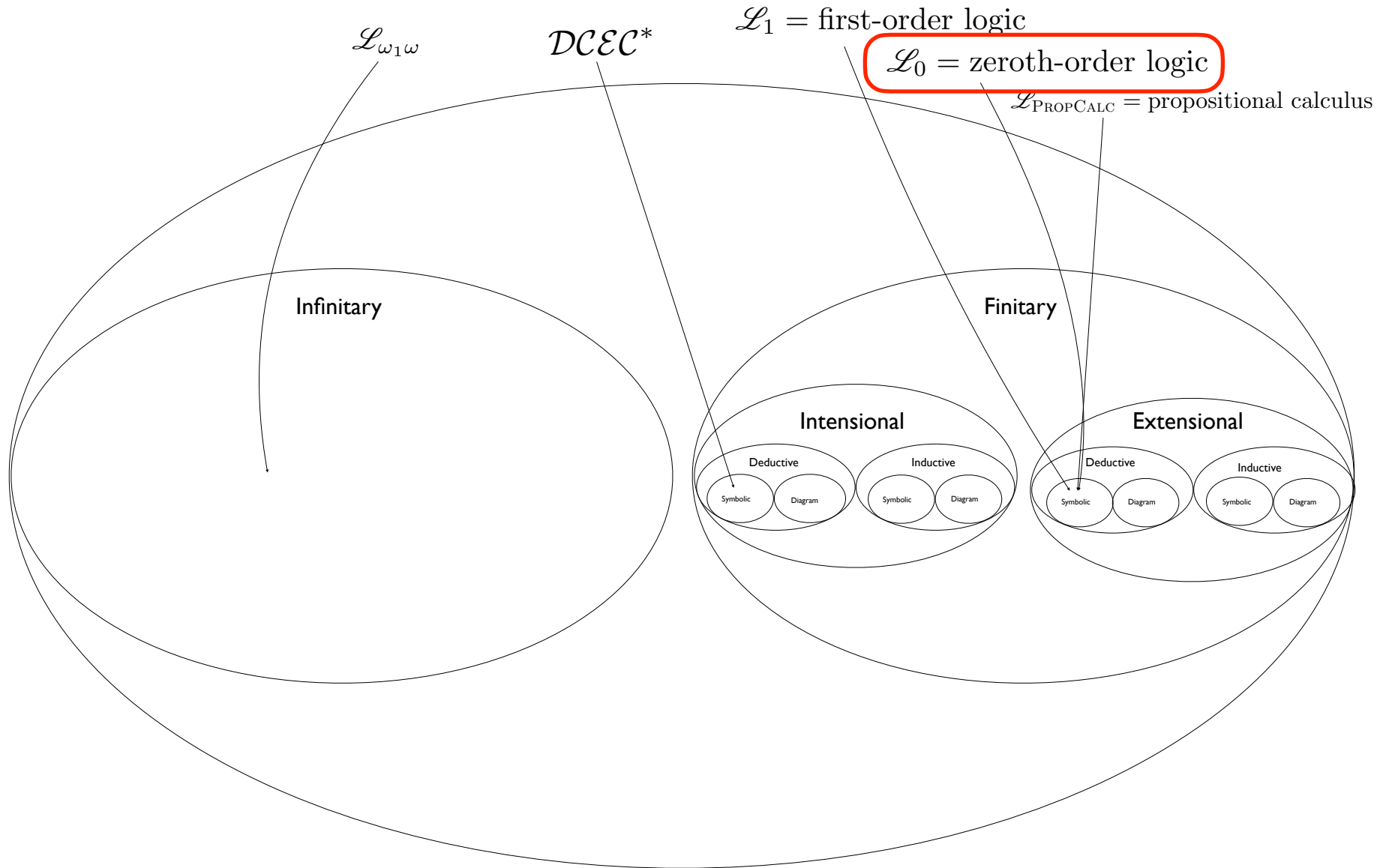
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The Universe of Logics



The Universe of Logics



Starter HyperLog[®]: Datalog

$\mathcal{L}_0$ = zeroth-order logic

Datalog Syntax

(<i>program</i>) P	$:=$	$\phi_1 \wedge \phi_2 \wedge \dots \wedge \phi_n$
(<i>horn-clause formula</i>) ϕ_i	$:=$	$\alpha_1 \wedge \dots \wedge \alpha_m \rightarrow \alpha_j$
(<i>atomic formula</i>) α_i	$:=$	$R(t_1, t_2, \dots, t_o)$
(<i>terms</i>) t	$:=$	$x \mid c$

where x is a variable and c a constant

Starter HyperLog[®]: Datalog

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Create file

Propositional Calculus

L₀ = Pure Predicate Calculus

L₁ = First-order Logic

L₂ = Second-order Logic

K

T

D

S4

S5

DCEC (fragment)

Hyperlog

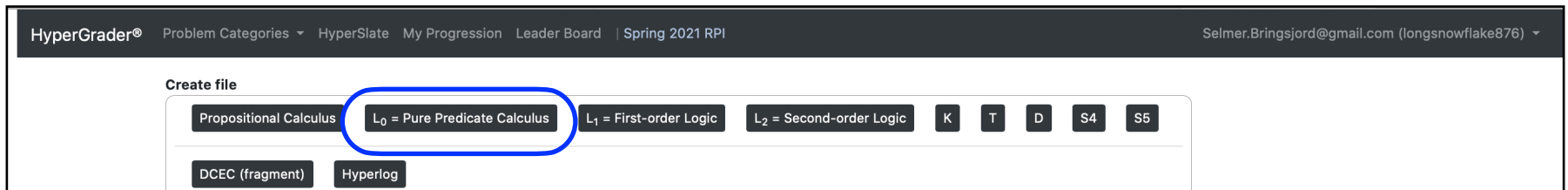
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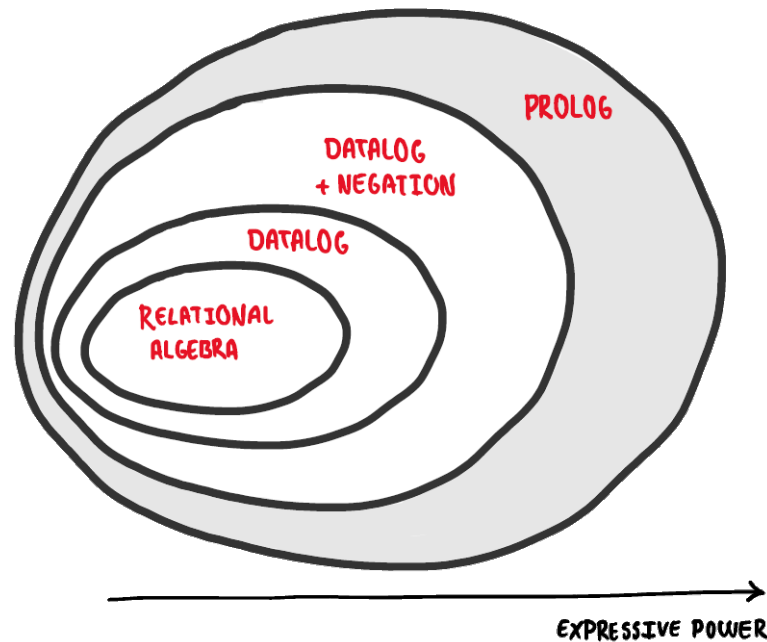
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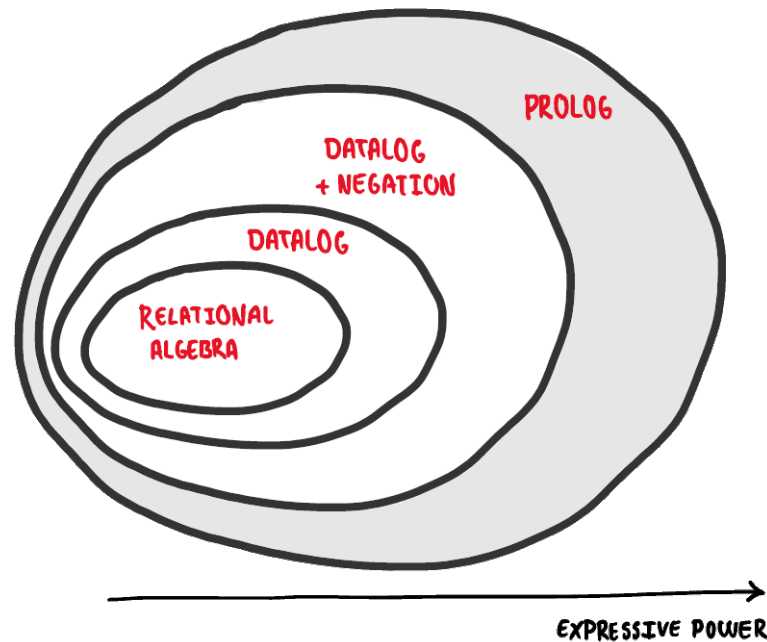
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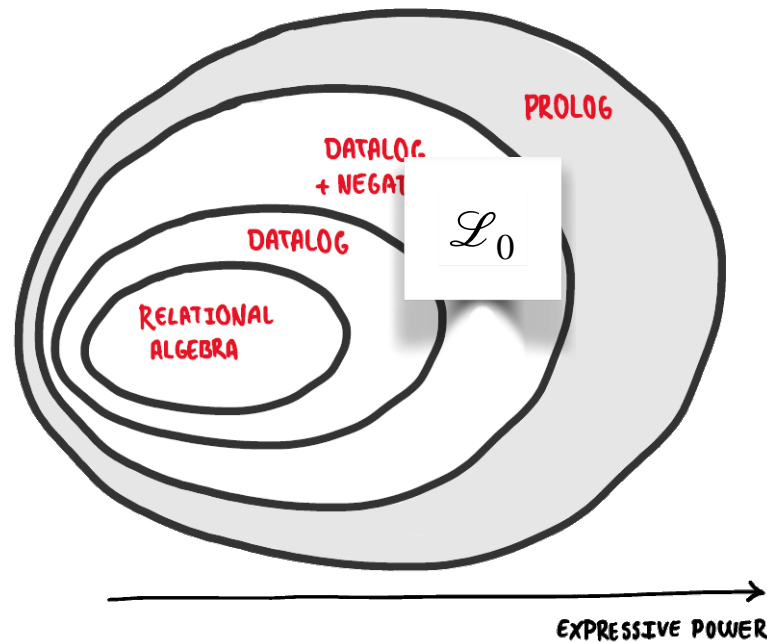
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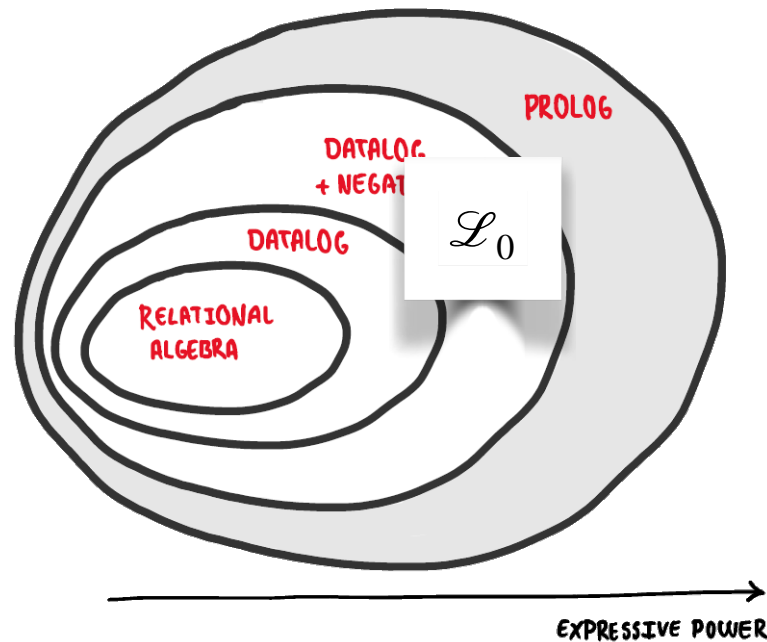
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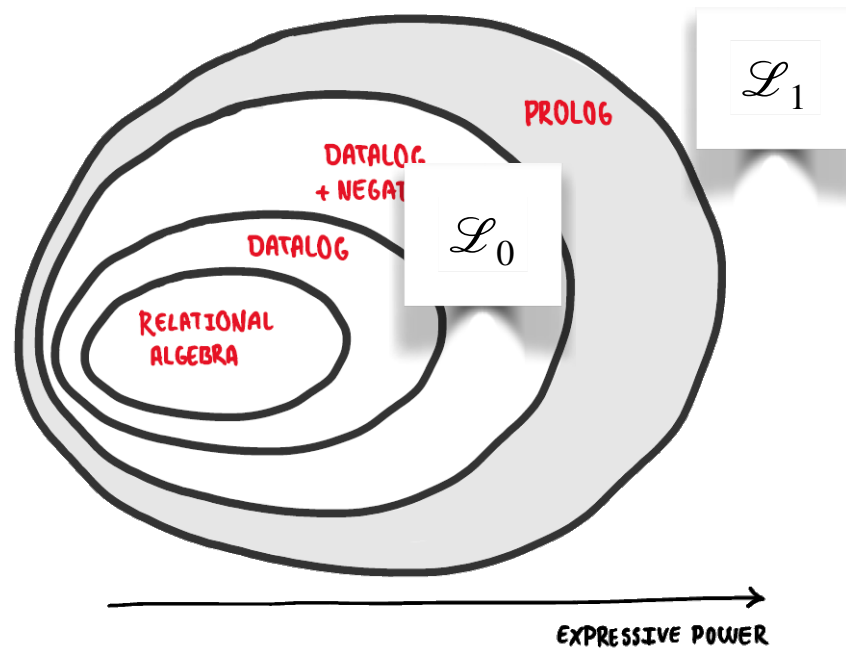
$\mathcal{L}_1$

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slutten